

Stochastic variability of oceanic flows above topography anomalies

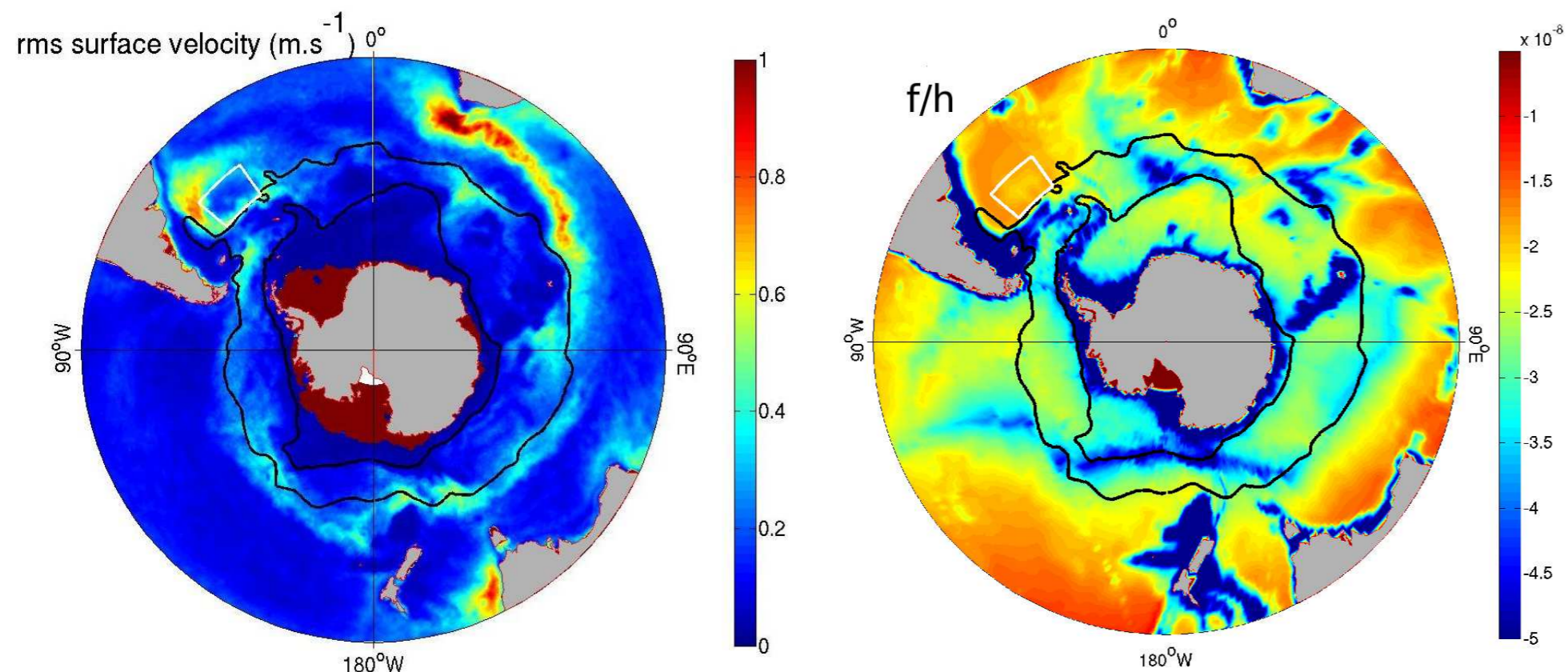


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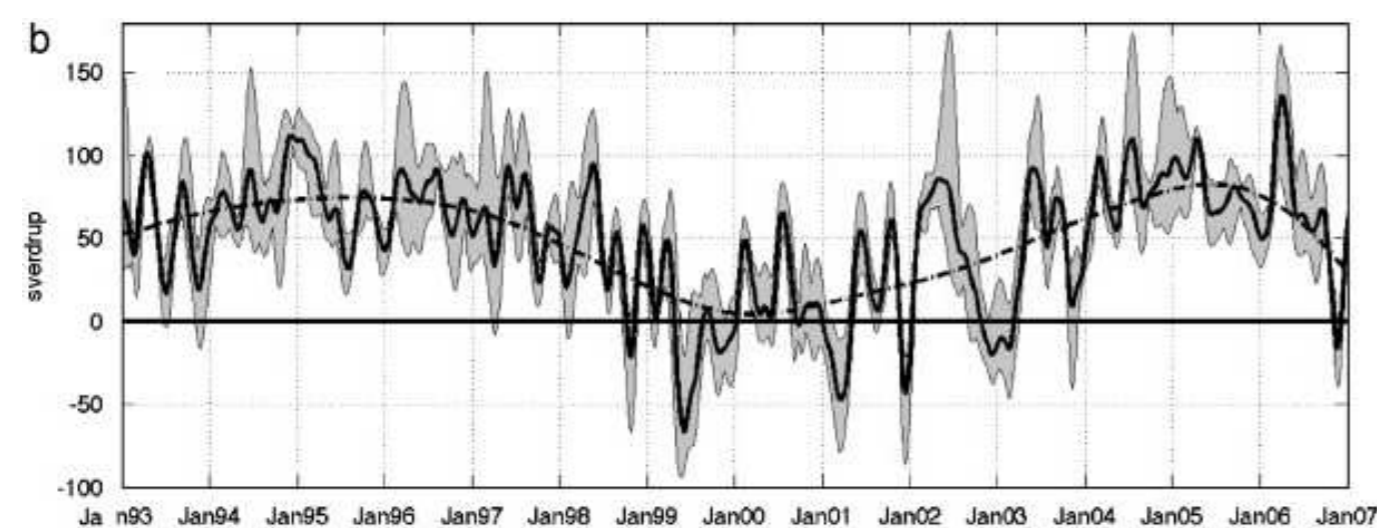
A pulsating vortex in the Argentine basin

Existence of a robust anticyclone above the Zapiola rise



- The local minimum of EKE (from TOPEX-Poseidon 1992-2002) in the white box of the left panel corresponds to the **Zapiola anticyclone**.
- This is a robust vortex taking place above a sedimentary bump, the Zapiola rise (see the closed f/h contours of the right panel).
- Its transport ($\sim 100 Sv$) is as large as other major oceanic currents.
- Formation of stationary eddy-driven flow above topography *Dewar JMR 98*

Previous altimetry observations of a vigorous variability

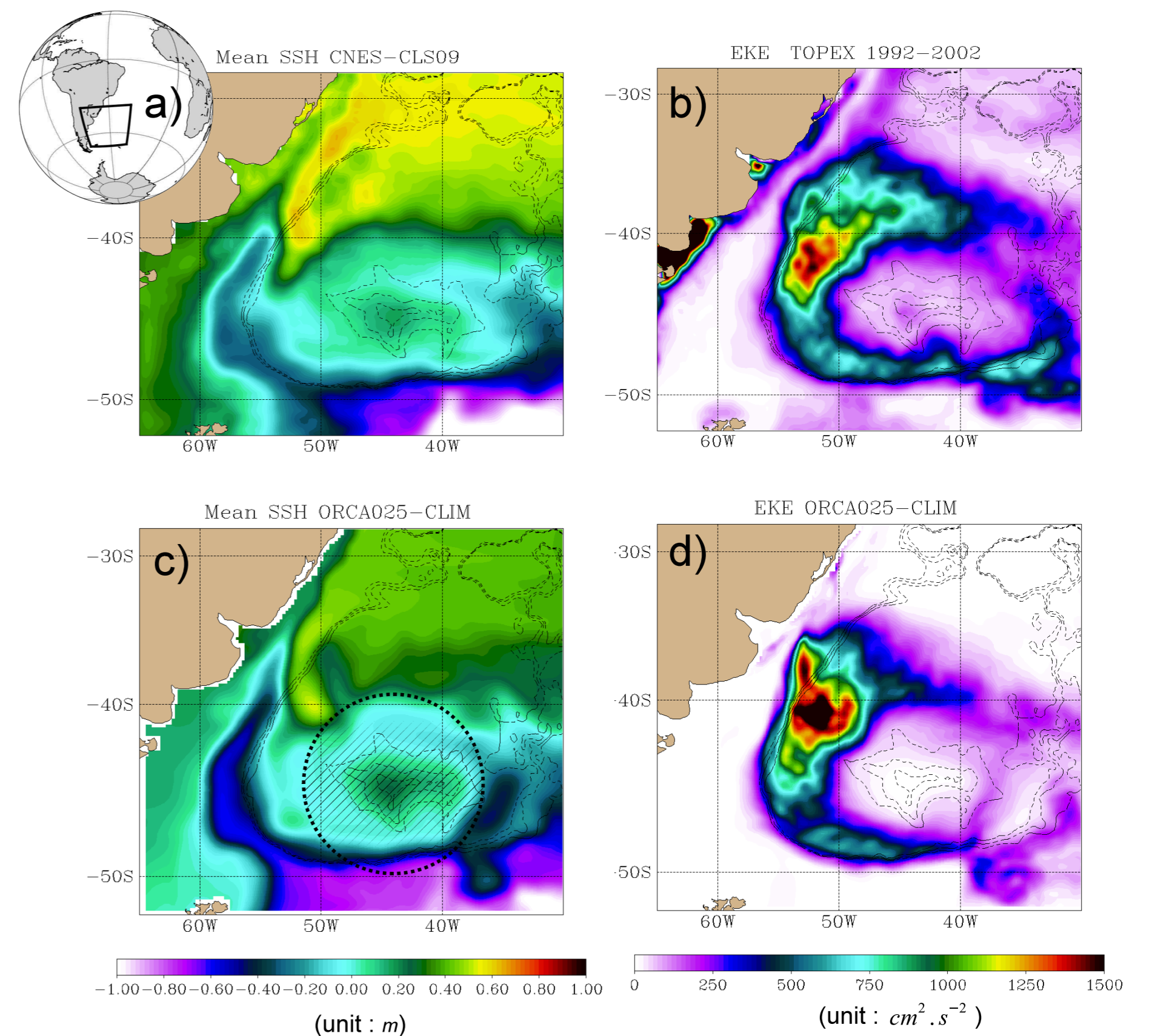


- From *Saraceno et al Deep Sea Res. 09*: previous studies using altimetry measurements have shown that the **transport of the anticyclone is as large as the transport itself**.
- Variability reported in idealized QG simulations *Bigorre & Dewar Ocean Modeling 10*
- Only small impact of wind stress on these fluctuations, see *Volkov & Fu, JGR 08*.

To which extent is this variability intrinsic to the ocean dynamics?

Mean State of the Zapiola anticyclone

Horizontal structure: comparison model-observations



- Good agreement between observed dynamic topography and SSH from the model
- SSH proportional (and opposite) to the transport streamfunction ψ

Model configurations

- DRAKKAR Project, 1/4th degree resolution, 300 years run.
- z -coordinates with 46 levels and a partial step representation of bottom topography
- **Repeated-year forcing** built by computing a daily climatology during 50 years.
- For a barotropic flow of about $0.1m.s^{-1}$, the **bottom friction time-scale ω_b^{-1}** is about 14 months.

A mechanism for internal, stochastic variability

Eddy-driven Taylor Columns

Simple case of axisymmetric f/h contours, for a barotropic flow.

$$\frac{\partial}{\partial t} \bar{u} = -\frac{1}{r^2} \frac{\partial}{\partial r} (r^2 \bar{u}' v') - \omega_b \bar{u}$$

Where \bar{u} is averaged over a f/h contour.

$$\frac{d\bar{T}}{dt} = C_{eddy} + \eta_{eddy}(t) - \omega_b \bar{T}$$

Transport:

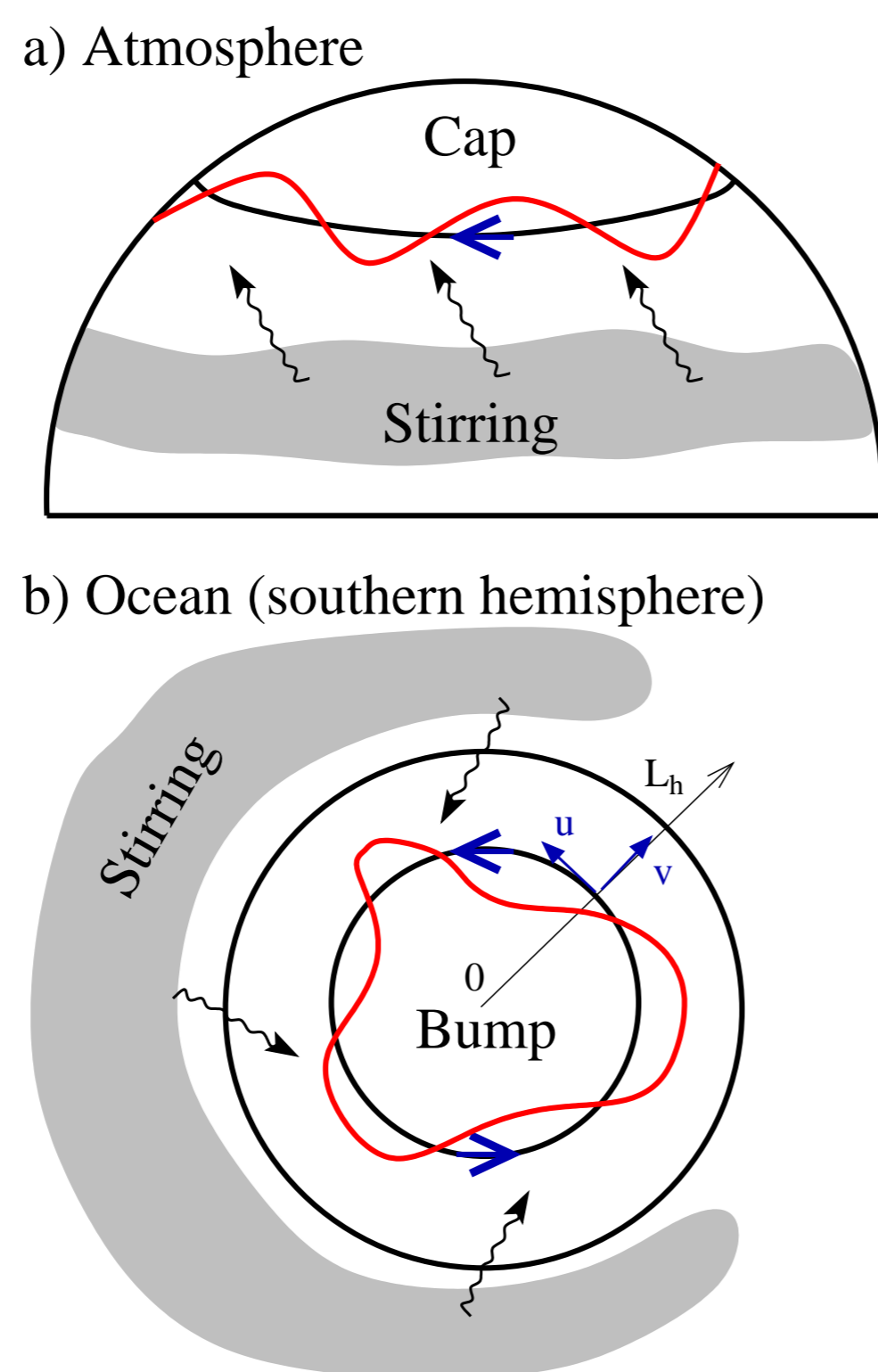
$$\bar{T} = \int_0^{L_h} dr h \bar{u}$$

Eddy momentum flux:

$$C_{eddy} + \eta_{eddy}(t) \approx -h \overline{v' u'}|_{r=L_h}$$

$$\text{Mean transport: } \langle \bar{T} \rangle = \frac{C_{eddy}}{\omega_b}$$

$$\text{Spectrum: } |\tilde{T}(\omega)|^2 = \frac{|\tilde{\eta}_{eddy}|^2}{(\omega^2 + \omega_b^2)}$$



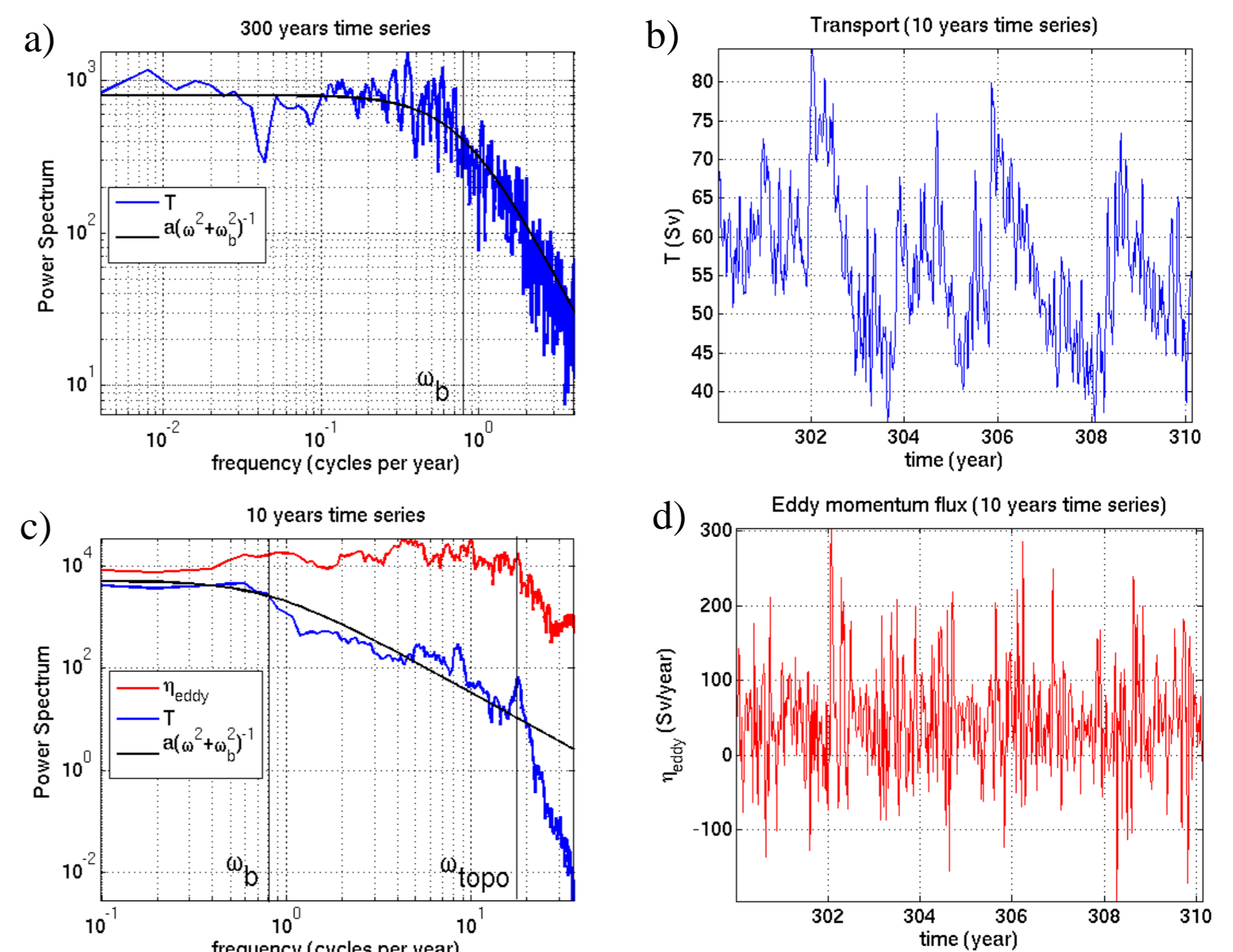
Transport fluctuations modelled with an AR(1) process

If η_{eddy} is a white noise process then the transport is a red noise process for frequency larger than ω_b .

The key ingredients are

- Source: eddying PV fluxes
- Sink: bottom friction
- Closed isolines of f/h

Variability of the Zapiola anticyclone



The frequency cut-off is close to bottom friction coefficient used in the model.

Take home message

Internal, stochastic low frequency variability reported in an eddy permitting numerical ocean model

A mechanism has been proposed: i) one needs eddies and closed f/h contours ii) and bottom friction plays a key role.