

Aeroacoustic computations with a new CFD solver based on the Lattice Boltzmann Method

D. Ricot¹, E. Foquet², H. Touil³, E. Lévêque³, H. Machrouki⁴, F. Chevillotte⁵, M. Meldi⁶

1: Renault 2: CS 3: Lab. de Physique, ENS Lyon 4: Gantha 5: Matelys 6: Inst. J. le Rond d'Alembert, Paris V

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LaBS project

LaBS Consortium

Three industrial companies and two scientific laboratories, software's co-owner and developpers, leading, supporting and validating LaBS.



TRUCK



A collaborative project with strong partnerships

SYSTEM OTIC

« LaBS Consortium » collaborates with partners whose scientific expertise enables building mathematical models and establishing simulation best-practices for several application domains.

mov'eo

With the support of competitiveness clusters :



Financial support from FUI8 :

Period : 2009-2013



LaBS software

Developed from scratch

- a GUI for simulation setup
- a parallel solver, including the volumetric mesher





Lattice Boltzmann Method

Statistical mechanics

- Boltzmann equation
- Particles
 - Kinetic energy
 - Momentum
 - Shocks
 - Mean free path

Chapman-Enskog theoretical expansion

Continuum mechanics

- Navier-Stokes equations
- Continuous media
 - Temperature
 - Pressure
 - Density
 - Viscosity



Lattice Boltzmann method



• Particle velocity discretization (finite discrete velocity set for particles instead of continuous particle velocity)

• Space and time discretizations of the discrete velocity Boltzmann equation

<u>Chapman-Enskog theoretical expansion →</u> <u>Navier-Stokes equations</u>





Main numerical issues





Mesh refinement

- AMR-like mesh : successive refinement of the volume mesh (M. J. Berger and P. Colella, "Local adaptive mesh refinement for shock hydrodynamics," J. Comp. Phys, 82:64-84, 1989)
- \Box In LaBS : vertex-centered formulation \rightarrow coarse mesh nodes are coincident with fine mesh nodes
- Partial mesh overlapping approach for data exchanges between refinement blocks
- Need for rescaling of distribution functions (O. Fillipova and D. Hänel. Grid refinement for lattice-BGK models. J. Comput. Phys., 147(1):219–228, 1998)







Coarse to fine mesh transfer for noncoincident fine nodes

□ Example of validation for an acoustic pulse propagation in a multi-resolution grid







Immersed boundary condition

G Full separation between the octree volumetric mesh and the surface mesh (triangles)

□ Immersed boundary algorithm must be developed. Several available approaches in literature deduced from the original Navier-Stokes techniques (Peskin, 1977). See for example : *Z.-G. Feng and E.E. Michaelides. The Immersed Boundary-Lattice Boltzmann Method for Solving Fluid-Particles Interaction Problems. J. Comput. Phys., 195(2):602-628, 2004*



Distribution functions associated with velocity #7 and velocity #3 in its example can not calculated by the collision / propagation LBM algorithm because neighbor nodes are inside the solid

off-centered finite difference scheme

□ In LaBS : vertex-based formulation based on the reconstruction of the distribution functions from the macroscopic data (pressure, velocity and velocity gradients) :

$$f_{\alpha}(\vec{x},t) = f_{\alpha}^{eq}(\vec{x},t) + f_{\alpha}^{neq}(\vec{x},t) = \omega_{\alpha} \rho \left(1 + \frac{c_{\alpha,i}u_{i}}{c_{s}^{2}} + \frac{u_{i}u_{j}(c_{\alpha,i}c_{\alpha,j} - c_{s}^{2}\delta_{ij})}{2c_{s}^{4}} \right) + \tau \underbrace{\frac{\omega_{\alpha}\rho}{c_{s}^{2}} \sum_{ij} (c_{\alpha,i}c_{\alpha,j} - c_{s}^{2}\delta_{ij})S_{ij}}_{S_{ij} = \frac{1}{2} \left(\frac{\partial u_{i}}{\partial x_{j}} + \frac{\partial u_{j}}{\partial x_{i}} \right)}$$
(Chapman-Enskog expansion)
(Chapman-Enskog expansion)

Similar to the model described in : J.C.G. Verschaeve and B. Müller, "A curved no-slip boundary condition for the lattice Boltzmann method", J. Comput. Physics, 2010, 229(19), pp.6781-6803



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 $S_{ij} = \frac{1}{2}$

Turbulence model

- □ Sub-grid turbulent vortices must be modeled by a turbulence model
- Lattice Boltzmann is a native unsteady algorithm with very low numerical dissipation : it is well adapted to Large Eddy Simulation approach
- Large scales that ensure turbulent mixing are directly calculated, only the dissipative effect of small turbulent scales must be added.
- Two sub-grid models are implemented in LaBS :
 - □ Shear-Improved Smagorinsky Model (SISM)
 - □ The Approximate Deconvolution Model (ADM)
- The shear-improved Smagorinsky model is a sub-grid turbulent viscosity model :

 $V_{off} = V + V_T \longrightarrow$

E. Leveque, F. Toschi, L. Shao and J.-P. Bertoglio, Shear-Improved Smagorinsky Model for Large-Eddy Simulation of Wall-Bounded Turbulent Flows, Journal of Fluid Mechanics 2007, vol. 570, pp. 491-502

$$f_{\alpha}\left(\vec{x}+\vec{c}_{\alpha}\Delta t,t+\Delta t\right) = \left(1-\frac{1}{\tau}\right)f_{\alpha}\left(\vec{x},t\right) + \frac{1}{\tau}f_{\alpha}^{eq}\left(\rho\left(\vec{x},t\right),u\left(\vec{x},t\right)\right) \longrightarrow \quad \nu = c_{s}^{2}\left(\tau - \frac{\Delta t}{2}\right)$$

$$\mathbf{v}_T = (C_s \Delta)^2 \cdot (|\mathbb{S}| - |\langle \mathbb{S} \rangle|)$$

$$\left(\frac{\partial u_i}{\partial x_j} + \frac{\partial u_j}{\partial x_i}\right) \qquad |\mathbb{S}| \equiv \sqrt{2\sum_{i,j} \mathbb{S}_{ij} \mathbb{S}_{ij}} \qquad ``< >'' \text{ is low-pass filtering based on an exponentially-weighted moving time average}$$

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Turbulence model

The Approximate Deconvolution Model (ADM) is not a turbulent viscosity model : dissipation is added through selective spatial filtering

□ Navier-Stokes : Stolz S, Adams NA, Kleiser L. An approximate deconvolution model for large-eddy simulation with application to incompressible wall-bounded flows. Phys Fluids 2001;13:997–1015

Validation of ADM for LES simulations have been done with Navier-Stokes solver (Bogey, C. & Bailly, C., 2006, Computation of a high Reynolds number jet and its radiated noise using large eddy simulation based on explicit filtering, Computer & Fluids, 35(10), 1344-1358) and LBM solver (Lattice Boltzmann : O. Malaspinas and P.Sagaut, Advanced large-eddy simulation for lattice Boltzmann methods: The approximate deconvolution model Phys. Fluids 23, 105103, 2011)

LBM algorithm is unchanged compared to the DNS case : only an explicit filtering step is added



In LaBS : 7 point stencil is used : D. Ricot, S. Marié, P. Sagaut, C. Bailly Lattice Boltzmann method with selective viscosity filter, Journal of Computational Physics 228 (2009) 4478–4490



Turbulence model

- Both Shear-Improved Smagorinsky model and Approximate deconvolution model can be associated with a wall law model
- The wall law is a lag-law with adverse pressure gradient effects proposed by Afzal : N. Afzal. Wake layer in a turbulent boundary layer with pressure gradient: a new approach. In IUTAM Symposium on Asymptotic Methods for Turbulent Shear flows at High Reynolds Numbers. K., G., ed., Kluwer Academic Publishers, 1996, 95-118





Solver architecture





Volumetric mesh

- □ Based on efficient octree mesher
- Interior of surface meshes are excluded, without limitation in term of shape, number of surfaces, and overlapping regions











Academic validations : turbulent channel flow







Figure 1. DNS of a turbulent plane-channel flow at Rev = 180 by the Lattine-Boltzmaan





Academic validations : cylinder wake



□ Turbulent flow behind a circular cylinder, ReD = 47000







Validation on simple case : Fence-cube configuration

- Experimental database from a previous Predit project (MIMOSA) : measurements at LMFA / Ecole Centrale Lyon
- A cube (size 10 cm) mounted on a plane is placed behind a fence : PIV, hot-wire, unsteady wall pressure measurements
- U0=45 m/s, 20 millions mesh nodes, 350000 time-steps (around 0.78 sec of physical time)

Mean streamwise velocity







U (m/

Fluctuating streamwise velocity





Validation on simple case : Fence-cube configuration





Validation on vehicles





- □ Full scale vehicle simulation
- 10 levels of refinement, around 30 millions mesh nodes, 300 000 time-steps
- **U** U0 = 44.4 m/s
- □ Wall Law LES (Approximate Deconvolution Model)



Validation on vehicles





Laguna case : fine band spectra





Clio case : third-octave band spectra, averaged on the whole surface of the side window







Innovative models : acoustic impedance and porous media





Airflow resistivity characterization

Direct « measurement » of the air flow resistivity of a microstructure of arbitrary complexity



Liner



Innovative models : moving solids



- Development of a general framework for moving solid models
 - Moving solid are embedded in a moving mesh
 - Displacement of mesh / solid is taken into account through the ALE (Arbitrary-Lagrangian Eulerian) model : at each time-step the previous data are interpolated on the mesh at its new position
 - □ Fixed / mobile mesh data exchanges are treated with Chimera approach (overlapping grid)
- □ Rotating solids are first developed in LaBS





Conclusions

□ New CFD solver based on Lattice Boltzmann method

- U With strong scientific background and careful validation on each application fields
- Good results on academic cases
- □ Satisfactory results on aeroacoustic automotive cases
- □ Currently running on several hundreds of CPU

General CFD simulations can be done

- DNS (academic cases)
- LES (with two models : SISM and ADM)
- □ WL-LES (Wall Law LES)
- Aeroacoustic is the first application target
 - □ Wall pressure fluctuation
 - Duct aeroacoustic (under validation)
 - □ High-lift airfoil noise generation (under validation)
 - Development of advanced acoustic models (time-domain impedance, porous materials,...)
- LaBS will be commercially available in 2013
 - Distributed by CS
 - □ Offer will comprise GUI / solver license and advanced support
 - □ CPU-on-Demand solution
 - License will include access to the open source scientific module that contains all physical models. Advanced users will be able to integrate their own LBM / turbulence /... models.

