

# Distributed policy scheduling in sensor networks

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Yu Chen and Eric Fleury  
ARES/INRIA- INSA de Lyon, France



## Yet another Applicati

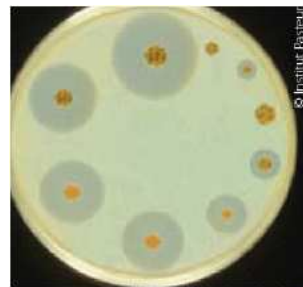
- MOSAR is an Integrated Project supported for 5 years by the European Commission under the Life Science Health Priority of the Sixth Framework Program.
- Coordinated by INSERM (the French National Institute of Health and Medical research);
- MOSAR aims to significantly advance our knowledge regarding the control of antimicrobial resistance of bacteria responsible for major and emerging nosocomial infections.
- <http://perso.ens-lyon.fr/eric.fleury/Upload/Mosar/MosarEng080120.wmv>

## MOSAR project outline

- Better understand the dynamic of AMRB transmission
  - the real-time analysis of the relative contribution of exposure to antibiotics;
  - the intrinsic characteristics of epidemic clones that contribute to inter-individual transmission;
  - the identification of factors contributing to the transmission of strains between individuals in the hospital population and community;
- Model and Prediction of AMRB
  - **Dynamic:** track variations in the number of infected or colonized patients;
  - **Mechanistic:** encapsulate our understanding of mechanisms and processes involved in the bacteria transmission.

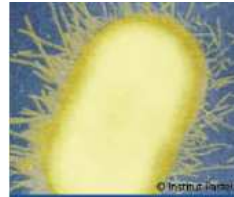
## AMBR transmission & dynamic

- Investigate the relative contribution in the promotion of:
  - AMR pathogens in hospital settings;
  - of antibiotic selective pressure
  - epidemicity of strains and potential cross-transmission due to inter-individual contacts.
- DATA collected:
  - Antibiotic selective pressure
  - Clonal-specific epidemicity
    - the effectiveness of control measures
    - the duration of colonization
    - the number of susceptible persons



## A major conjoint challenge for TIC & LSH

- A data collection strategy will combine for a period of 6 months on 400 actors:
  - an individual antibiotic use;
  - a contact monitoring;
  - a characterization of the isolates to determine their epidemicity;

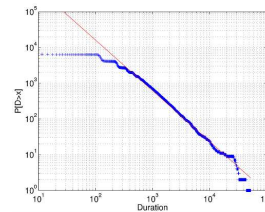
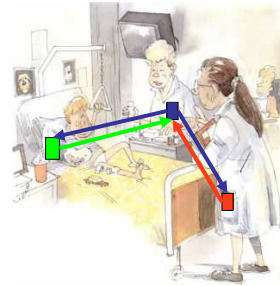
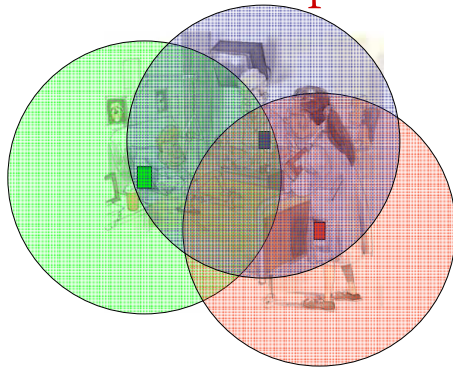


## Deployment of a large-scale ambient dynamic networks

- Document interactions between
  - medical and nursing staff
  - patients to patients
  - patient to medical staff
- Document contact frequencies
  - monitor the dynamic (inter & intra contact)
  - characterize the interaction network
- One sensor  $\Leftrightarrow$  One person



## MOSAR's experiment



## Background

- Wireless Sensor Networks
  - Battery-operated sensor nodes
    - Energy Efficiency
  - How to save energy in WSN?

## Background

- Studies have shown

- A significant consumer of power is idle listening

	Idle	: Receive	: Send
[1]	1	1.05	1.4
[2]	1	2	2.5

- consumes 50-100% of the energy required for receiving.

Can we turn off idle  
sensors to save energy?

[1] LAN MAN Standards Committee of the IEEE Computer Society, Wireless LAN medium access control (MAC) and physical layer (PHY) specification.

[2] Mark Stemm and Randy H. Katz, "Measuring and Reducing Energy Consumption of Network Interfaces in Hand-held Devices"

## Background

- An approach: Duty Cycling[1][2]

- Reduces idle listening time

- by letting sensors switch between sleep & active mode

- Suits well for low traffic networks

- Data rate is very low, it is not necessary to keep sensors listening all the time

- → energy can be saved by turning off sensors

[1] Wei Ye, John Heidemann, Deborah Estrin, An Energy-Efficient MAC Protocol for Wireless Sensor Network, Inforcom, 2002

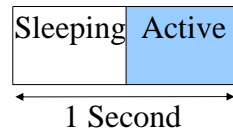
[2] G. LU, N. Sadagopan, B. Krishnamachari, A. Goel, "Delay Efficient Sleep Scheduling in Wireless Sensor Networks", Inforcom, 2005

## Background

### ■ A Solution: Duty Cycling

#### □ For example,

- Duty cycling: in each second, each sensor is scheduled to sleep for half a second and to listen for the other half.
- Its duty cycle is reduced to 50%.

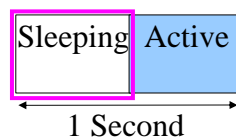


## Background

### ■ A Solution: Duty Cycling

#### □ For example,

- If sensors are idle listening most of the time
  - energy consumed by idle listening in the 50% of the time can be saved.

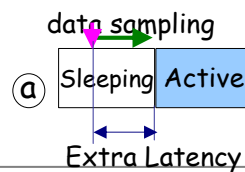


## Communication and Power

- Sleep is good...

## Background

- Problems caused by duty circling
  - Extra message latency
    - Case 1: data sampled by a node during its sleep period have to be queued until the active period

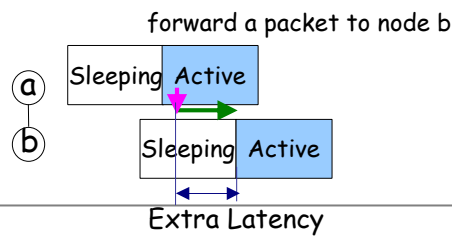


## Background

### ■ Problems caused by duty circling

#### □ Extra message latency

- Case 2: when a node receives a packet, it has to wait until the next hop wakes up to forward the packet.



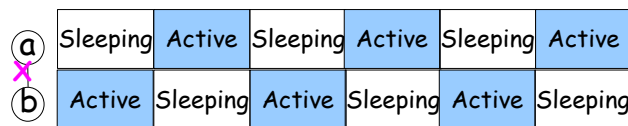
## Background

### ■ Problems caused by duty circling

#### □ Disconnection of links

- $a \rightarrow b$ : there is no time slot in which a is able to transmit and b is able to receive.

#### □ Disconnection of links might cause network partitions.





## Background

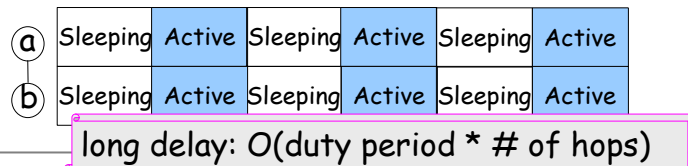
### ■ Problems caused by duty circling

#### □ Disconnection of links

- $a \rightarrow b$ : there is no time slot in which  $a$  is able to transmit and  $b$  is able to receive.

#### □ A simple solution:

- all the nodes wake up and sleep at the same time,



## Background

### ■ Problems caused by duty circling

#### □ Collisions

- Low traffic, but collision is still a concern
- e.g. if each node is awake in one of  $k$  slots
  - transmission that was distributed in  $k$  slots, now happen in one slot



## Background

- Problems caused by duty circling
  - Collisions
    - Low traffic, but collision is still a concern
    - e.g. if each node is awake in one of  $k$  slots
      - transmission that was distributed in  $k$  slots, now happen in one slot
  - Existing Solution:
    - contention-based scheme

## Background

- Problems caused by duty cycling
  - Extra latency
  - Disconnection of links
  - Collisions

## Our Work

### ■ Our goal

- a duty cycling scheme that guarantees
  - the required communication connectivity with a small latency
  - in the presence of collisions and node sleeping.

### ■ Our strategy

- integrate a variant of TDMA into duty cycling scheme.



## Overview of Our strategy

### Coloring Scheme

Assign each node a color

### Scheduling of Colors

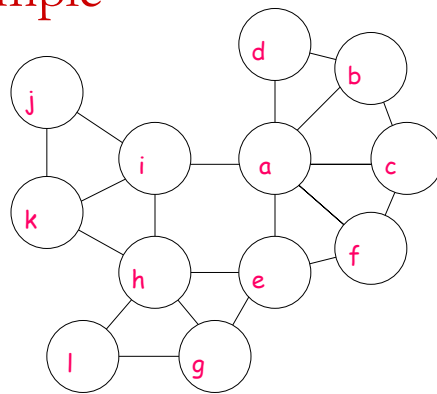
Assign each slot

- ✓ a transmitting color
- ✓ a receiving color

In each slot,

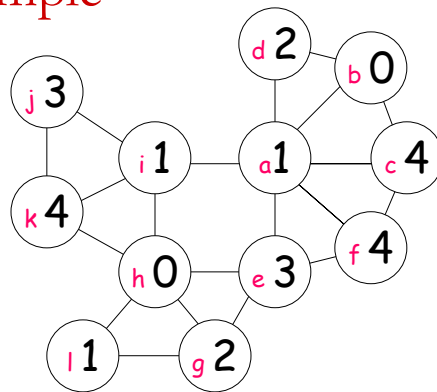
- only nodes assigned the tran. or recv. colors are active;
- an active node is allowed to
  - transmit, iff it is assigned the tran. color ;
  - receive iff it is assigned the recv. color

## An Example



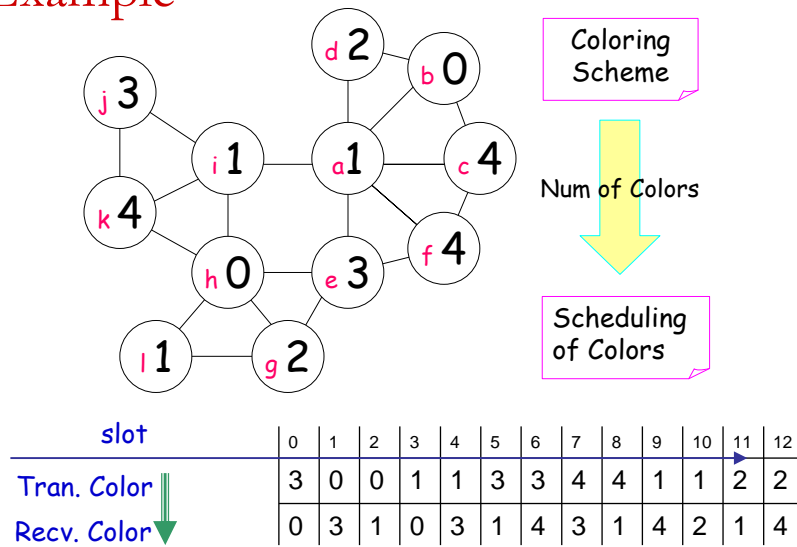
Coloring Scheme

## An Example



Coloring Scheme

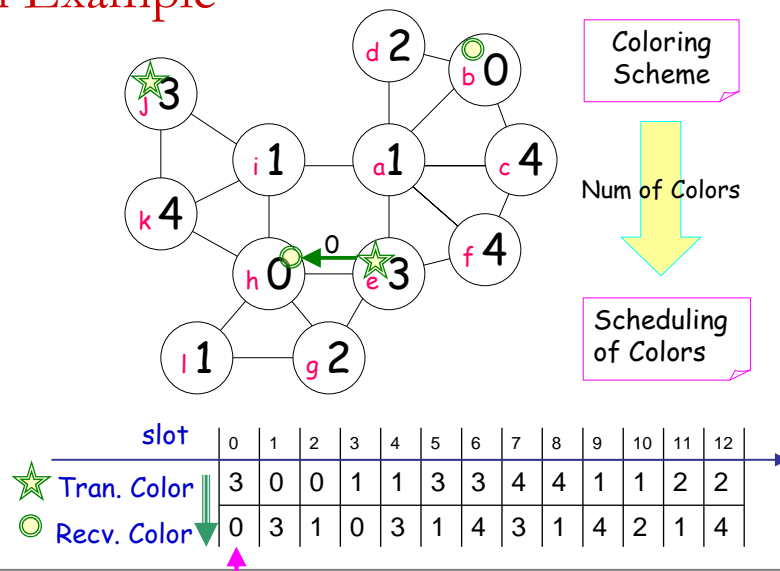
## An Example



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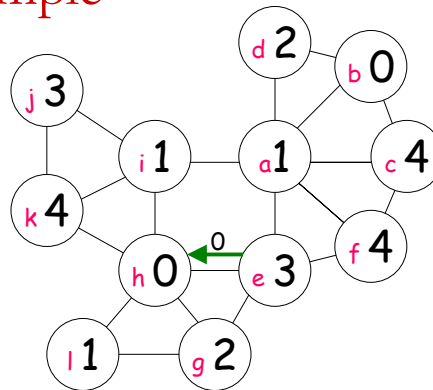
## An Example



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## An Example



Coloring Scheme

Num of Colors

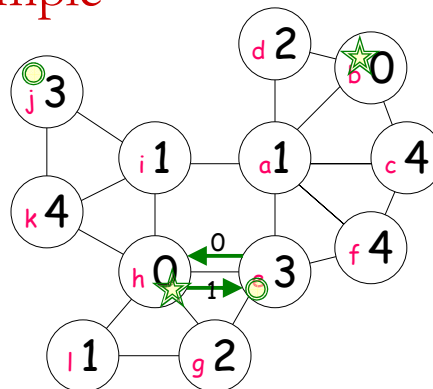
Scheduling of Colors

slot	0	1	2	3	4	5	6	7	8	9	10	11	12
★ Tran. Color	3	0	0	1	1	3	3	4	4	1	1	2	2
○ Recv. Color	0	3	1	0	3	1	4	3	1	4	2	1	4

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## An Example



Coloring Scheme

Num of Colors

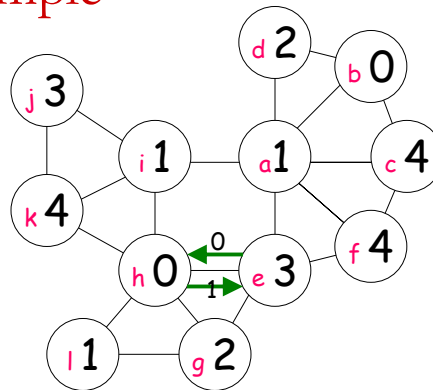
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## An Example



Coloring Scheme

Num of Colors

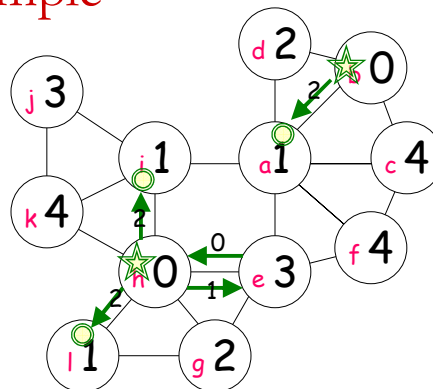
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## An Example



Coloring Scheme

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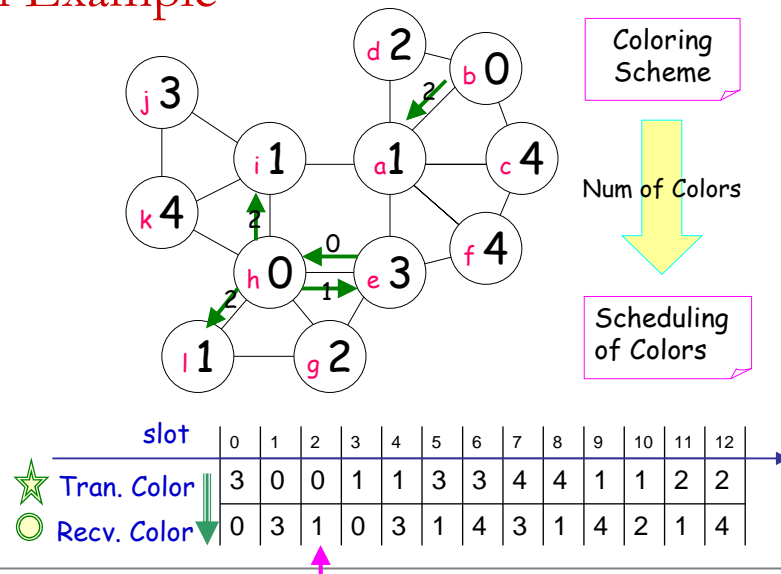
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## An Example



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## Overview of Our strategy

### Coloring Scheme

Assign each node a color

### Scheduling of Colors

Assign each slot

- ✓ a transmitting color
- ✓ a receiving color

### Our goal

A duty cycling scheme that guarantees the required communication connectivity with a small latency in the presence of collisions and node sleeping.

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## Coloring Scheme

### ■ Coloring Scheme

- A new coloring definition
  - Why we need a new definition?
- Analyses on the number of required colors
- Our coloring heuristics

## Traditional coloring scheme

### ■ Graph labeling with channel separation constraints:

- integers parameters  $d_1, d_2, \dots, d_k$  are used to describe the channel separation constraints;
- in particular,  $d_i$  is the minimum spacing between the subchannels assigned to nodes that are distance  $i$  from each other.

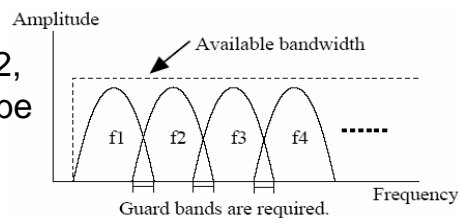
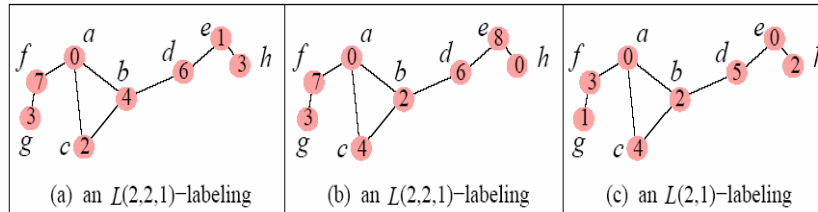
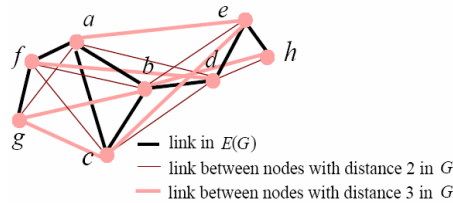


Figure 1. Adjacent channel interference

## Graph labeling example



$a$  node is assigned label 1



## Traditional coloring definitions

- $L(1,1)$ -coloring,  $L(d,k)$ -coloring (e.g. [6][3])
  - provides an entirely collision-free schedule.
  - Given a network  $G$ , for any two nodes  $x, y$

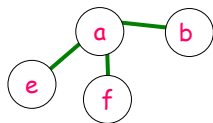
$$|\text{color}(x) - \text{color}(y)| \geq \begin{cases} d & \text{if } y \in N_G(x) \\ k & \text{if } \exists z \in N_G(x) \text{ } y \in N_G(z) \end{cases}$$

- [6] I. Chlamtac and S. S. Pinter. Distributed nodes organization algorithm for channel access in a multihop dynamic radio network. *IEEE Transactions on Computers*, 1987.
- [3] R. Battiti, A. A. Bertossi, and M. A. Bonuccelli. Assigning codes in wireless networks: bounds and scaling properties. *Wireless Networks*, 1999.

## Traditional coloring definitions

- L(1,1)-coloring, L(d,k)-coloring (e.g. [6][3])
  - provides an entirely collision-free schedule.
  - Given a network G, for any two nodes x,y

$$|\text{color}(x) - \text{color}(y)| \geq \begin{cases} d & \text{if } y \in N_G(x) \\ k & \text{if } \exists z \in N_G(x) \text{ } y \in N_G(z) \end{cases}$$



L(d,k)-coloring:  $|\text{color}(a) - \text{color}(b)| \geq d$ ,  
 $|\text{color}(e) - \text{color}(b)| \geq k$

## Traditional coloring definitions

- L(1,1)-coloring, L(d,k)-coloring
  - provides an entirely collision-free schedule
- However, a large number of colors are required in dense networks.
  - Best upper bound [5] :  $\Delta G^2 + (d-1) \Delta G$ , where  $\Delta G$  is the degree of G

Can we use a smaller number of colors to preserve communication connectivity?

[5] G. Chang, W. Ke, D. Kuo, D. Liu, and R. Yeh. On  $l(d,1)$ -labeling of graphs. *Discrete Mathematics*, 220:57-66, 2000.

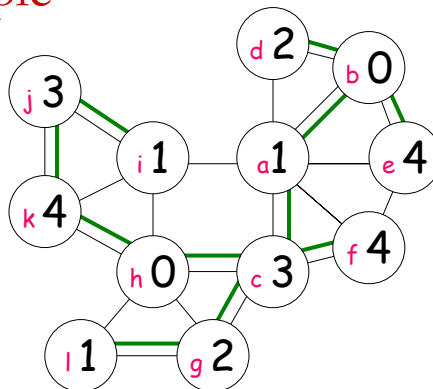
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Not always  
necessary

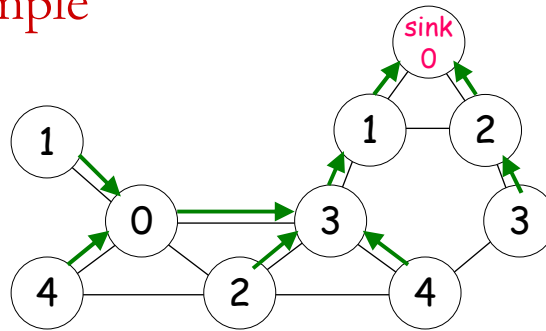
[5] G. Chang, W. Ke, D. Kuo, D. Liu, and R. Yeh. On  $l(d,1)$ -labeling of graphs. *Discrete Mathematics*, 220:57-66, 2000.

## An Example



Communication between any pair of nodes  
Strong connectivity,  
e.g. a spanning tree

## An Example



Data gathering  
connectivity from each node to sink,  
e.g. a tree rooted at the sink with edges towards the  
sink

## Our Coloring Definition

- Given a network  $G$ ,
  - Parameter: subgraph  $S \subseteq G$ 
    - $S$  represents applications' requirement on connectivity, e.g.
      - Spanning tree
      - Directed tree
  - We define  $Ls(d,k)$ -coloring
    - To guarantee links in  $S$  are collision free

## Our Coloring Definition

- Definition:  $L_s(d,k)$ -coloring on  $G$

- For any two nodes  $x, y, x \neq y$

$$|\text{color}(x) - \text{color}(y)| \geq \begin{cases} d & \text{if } y \in N_S^+(x) \\ k & \text{if } \exists z \in N_S^+(x) \text{ } y \in N_G(z) \end{cases}$$

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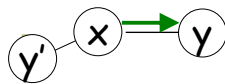
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■



$$y \in N_S^+(x)$$

→ Link in  $S$

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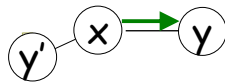
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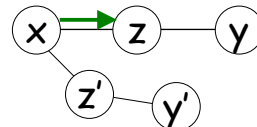
- For any two nodes  $x, y, x \neq y$

$$|\text{color}(x) - \text{color}(y)| \geq \begin{cases} d & \text{if } y \in N_S^+(x) \\ k & \text{if } \exists z \in N_S^+(x) \text{ such that } y \in N_G(z) \end{cases}$$

■



$$y \in N_S^+(x)$$



$$z \in N_S^+(x) \text{ and } y \in N_G(z)$$

→ Link in  $S$

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## Our Coloring Definition

### ■ Definition: Ls(d,k)-coloring on G

- For any two nodes  $x, y, x \neq y$

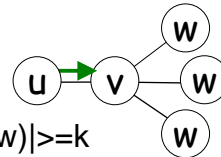
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For any link  $\langle u \rightarrow v \rangle$  in S, u's color is distinguished in  $N_G(v)$

✓  $v \in N_S^+(u) \rightarrow |\text{color}(u) - \text{color}(v)| \geq d$

✓ for all  $w \in N_G(v), w \neq u,$

$v \in N_S^+(u) \wedge w \in N_G(v) \rightarrow |\text{color}(u) - \text{color}(w)| \geq k$



## Our Coloring Definition

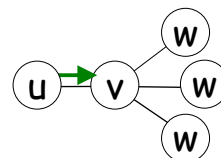
### ■ Definition: Ls(d,k)-coloring on G

- For any two nodes  $x, y, x \neq y$

Equivalent 
$$|\text{color}(x) - \text{color}(y)| \geq \begin{cases} d & \text{if } y \in N_S^+(x) \\ k & \text{if } \exists z \in N_S^+(x) \text{ such that } y \in N_G(z) \end{cases}$$

For any link  $\langle u \rightarrow v \rangle$  in S, u's color is distinguished in  $N_G(v)$

By setting  $d$  and  $k$  appropriately,  
communication from  $u$  to  $v$  can be  
guaranteed



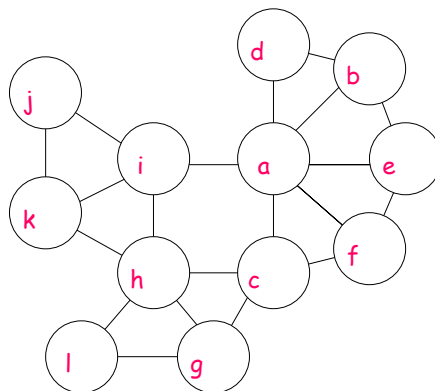


## Coloring Scheme

### ■ Coloring Scheme

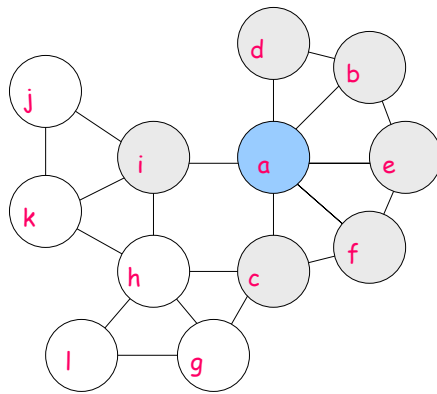
- A new coloring definition
- Analyses on the number of colors required by  $L_s(d,1)$
- Heuristic

## An Example



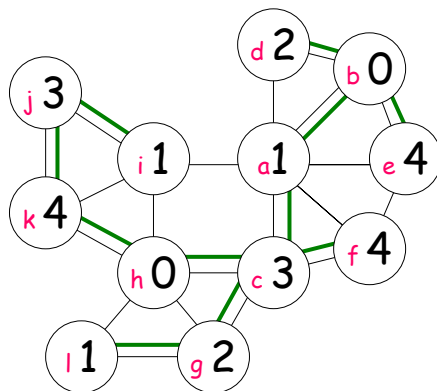
Max. Degree: 6  
(node a)  
→  
L(1,1)-coloring  
requires at least  
7 colors

## An Example



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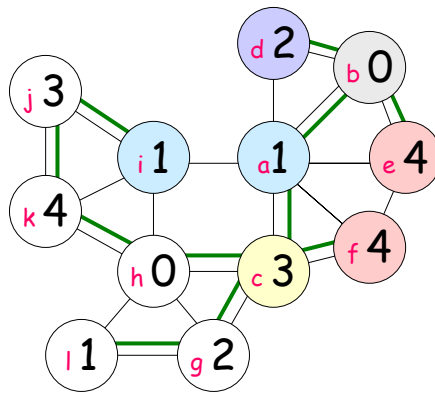
## An Example



Max. Degree: 6  
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Ls(1,1)-coloring,  
using 5 colors

## An Example



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(node a)

→  
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7 colors

Ls(1,1)-coloring,  
using 5 colors

## Coloring Scheme

- An upper bound on the number of colors required by Ls(d,1)

$$\min\{\Delta_G^2, \Delta_S + 2\Delta_G\Delta_S\} + (d-1)\Delta_S$$

- $\Delta_G$  : degree of G,
- $\Delta_S$ : degree of S
- When G is dense,
  - Upper bound:  $2\Delta_S\Delta_G + d\Delta_S = O(\Delta_S\Delta_G)$
- If  $\Delta_S$  is a bounded by a constant
  - Upper bound:  $O(\Delta_G)$

## Coloring Scheme

- Research has been done in generating subgraphs with constant bounded degree
  - for unit disc graph, degree of LMST is  $\leq 6$  [1]

Given a unit disc graph  $G$ ,  $O(\Delta_G)$  colors is sufficient to guarantee any pair of nodes are connected by a collision-free path.

Compared to the upper bound  $O(\Delta_G^2)$  for  $L(1,1)$ -coloring.

[1] N. Li, J. Hou and L. Sha, Design and analysis of an MST-based Topology control algorithm, INFOCOM 2003

## Coloring Scheme

- Coloring Scheme
  - A new coloring definition
    - Why we need a new definition?
  - Upper bound on the number of colors required by  $L_s(d,1)$
  - Heuristic

## Coloring Scheme

- NP-Complete, as  $L_G(1,1)$  is NP-Complete
- Heuristic for  $L_S(1,1)$  (follows traditional heuristic)
  - Assign priority for each node, e.g. ID, or degree in  $S$  and breaking ties by ID.
  - Coloring based on priority
    - The node with highest priority gets color 0
    - Each node waits until all those with higher priority in its two hop-neighborhood are colored.
      - It assigns itself a minimum color that does not invalidate  $L_S(1,1)$  constraints.
  - # of used colors are evaluated by simulations

## Overview of Our strategy

### Coloring Scheme

Assign each node  
a color  
( $L_S(1,1)$ -coloring)

### Schedule of Colors

Assign each slot  
✓ a transmitting color  
✓ a receiving color

### Our goal

A duty cycling scheme that guarantees  
the required communication connectivity  
in the presence of collisions and node sleeping.

## Overview of Our strategy

### Coloring Scheme

Assign each node  
a color  
( $L_5(1,1)$ -coloring)

### Schedule of Colors

Assign each slot  
✓ a transmitting color  
✓ a receiving color

### Our goal

A duty cycling scheme that guarantees  
for any  $x \rightarrow y \in S$ , there are infinitely many slots

1.  $x$  is able to transmit &  $y$  is able to receive
2. collision does not occur

In any slot which  $x$  is allowed to trans.,

no other nodes in  $y$ 's neighborhood is allowed to trans.

### Coloring Scheme

Assign each node  
a color  
( $L_5(1,1)$ -coloring)

### Schedule of Colors

Assign each slot  
✓ a transmitting color  
✓ a receiving color

### Our goal

A duty cycling scheme that guarantees  
for any  $x \rightarrow y \in S$ , there are infinitely many slots

1.  $x$  is able to transmit &  $y$  is able to receive
2. collision does not occur

Our goal can be achieved if  
 ✓ for any two colors  $a$  and  $b$ , there are infinitely many slots in which  $a$  is the transmitting color and  $b$  is the receiving color.

#### Coloring Scheme

Assign each node  
 a color  
 ( $L_5(1,1)$ -coloring)

#### Schedule of Colors

Assign each slot  
 ✓ a transmitting color  
 ✓ a receiving color

#### Our goal

A duty cycling scheme that guarantees  
 for any  $x \rightarrow y \in S$ , there are infinitely many slots

1.  $x$  is able to transmit &  $y$  is able to receive
2. collision does not occur

## Color Scheduling Scheme

- Technically, given the number of colors  $K$ ,  
 the schedule can be constructed from  
 any permutation of  $K(K-1)$  pairs of different colors  
 e.g.

Tran color	0	0	...	0	1	1	...	1	.....	K-1	K-1	...	K-1
Recv color	1	2	...	K-1	0	2	...	K-1	.....	0	1	...	K-2

- The fraction of slots in which a node is active  $2/K$ .

## Color Scheduling Scheme

- Technically, given the number of colors  $K$ , the schedule can be constructed from any permutation of  $K(K-1)$  pairs of different color e.g.

Tran color	0	0	...	0	1	1	...	1	.....	K-1	K-1	...	K-1
Recv color	1	2	...	K-1	0	2	...	K-1	.....	0	1	...	K-2

color 0: switch  $K-1$  times in  $K(K-1)$  slots  
other color: switch  $K$  times in  $K(K-1)$  slots

- Nodes need energy to switch between different modes → reduce the number of switches.

## Color Scheduling Scheme

- A lower bound on the number of switches in  $K(K-1)$  slots:  

$$\left\lfloor \frac{K}{2} \right\rfloor$$
  - $K$  is # of colors.
- We propose a schedule of colors that achieves this lower bound.



## Color Scheduling Scheme

When  $S$  is much sparser than  $G$ , energy consumption can be further reduced by

scheduling each node  $x$  active only in slots in which communication is possible:

- $x$  has the tran. color & one of  $x$ 's neighbors (in  $S$ ) has the recv. color or
- one of  $x$ 's neighbors (in  $S$ ) has the tran. color &  $x$  has the recv. color

The fraction of slots in which node  $x$  stays active

$$\frac{\delta_S^+(x) + \delta_S^-(x)}{K(K-1)} \leq \frac{2\Delta_S}{K(K-1)}$$

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## Simulations

- We consider several levels of connectivity,
  - represented by different types of subgraphs
- For each type of subgraph:
  - # of colors used by our coloring scheme
  - the latency under our duty cycling scheme

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## Selection of Subgraphs

Subgraph  $S \in G$ ,  $V(S)=V(G)$

- $G$ , entirely collision-free schedule
  - BFS tree rooted at the sink
  - LMST [16]:
    - Properties: connected, degree  $\leq 6$
    - Given node  $u$ ,  $mst(u)$  = the minimum spanning tree of  $u$ 's neighborhood
- Edge  $(u,v) \in LMST$  iff  $(u,v) \in mst(v) \& (u,v) \in mst(u)$

[16] N. Li, J. Hou, and L. Sha. Design and analysis of an mst-based topology control algorithm. In *Proc. IEEE INFOCOM*. 2003.

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## Selection of Subgraphs

Subgraph  $S \in G$ ,  $V(S)=V(G)$

- $g_{n,d}^{[27]}$ : edge  $\langle x,y \rangle$  in  $g_{n,d}$  iff
    - $y$  is one of the  $d$  nearest neighbors of  $x$  or
    - $x$  is one of the  $d$  nearest neighbors of  $y$
  - $g_{n,c \log n}$ : if  $c$  is larger than certain constant,
- $$\lim_{n \rightarrow \infty} \text{prob}(g_{n,c \log n} \text{ is connected}) = 1$$

$c = 1, 1.5, 2$ , denoted by  $S1, S1.5, S2$

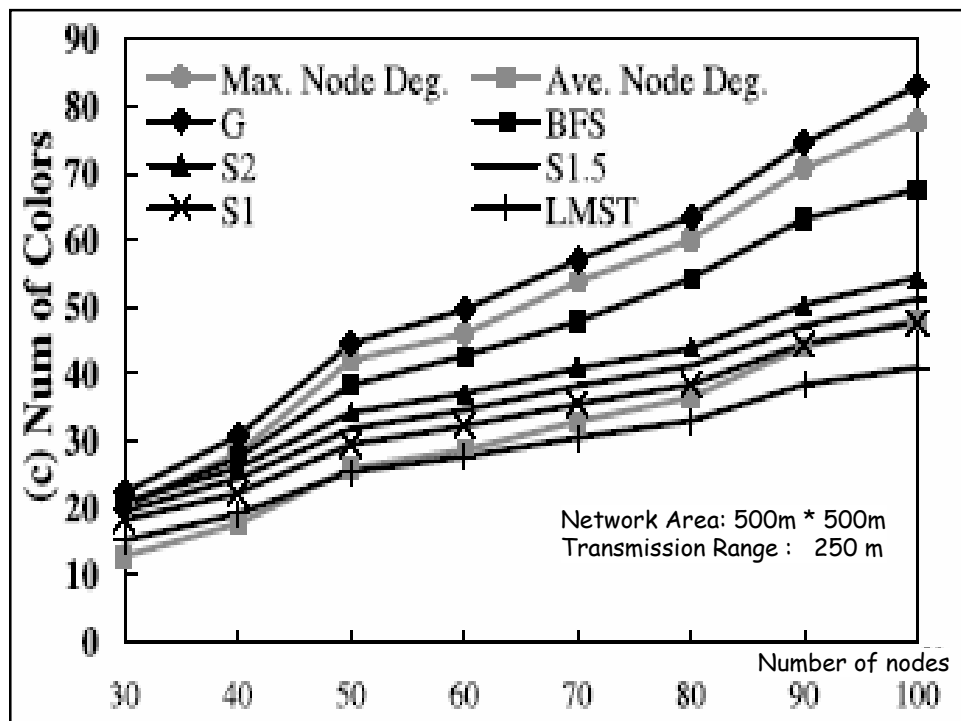
[27] F. Xue and P. R. Kumar. The number of neighbors needed for connectivity of wireless networks. *Wireless Networks*, 2004.

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## Simulation Results

- For each type of subgraph,
  - # of colors used by our coloring scheme.



## Simulation Results

- Latency of duty cycling schedule,
    - Compared to two other duty cycling schemes:
      - Sim: nodes follow the same schedule
      - Random-Avg<sup>[18]</sup>: nodes wake up to receive in one of k slots; nodes can transmit in any slot.
- In both schemes, collisions are assumed to be resolved in one slot.

[18] G. Lu, N. Sadagopan, B. Krishnamachari, and A. Goel. Delay efficient sleep scheduling in wireless sensor networks. In *Proc. IEEE INFOCOM*, 2005

## Duty Cycling Performance

The same fraction of slots in which sensors are active

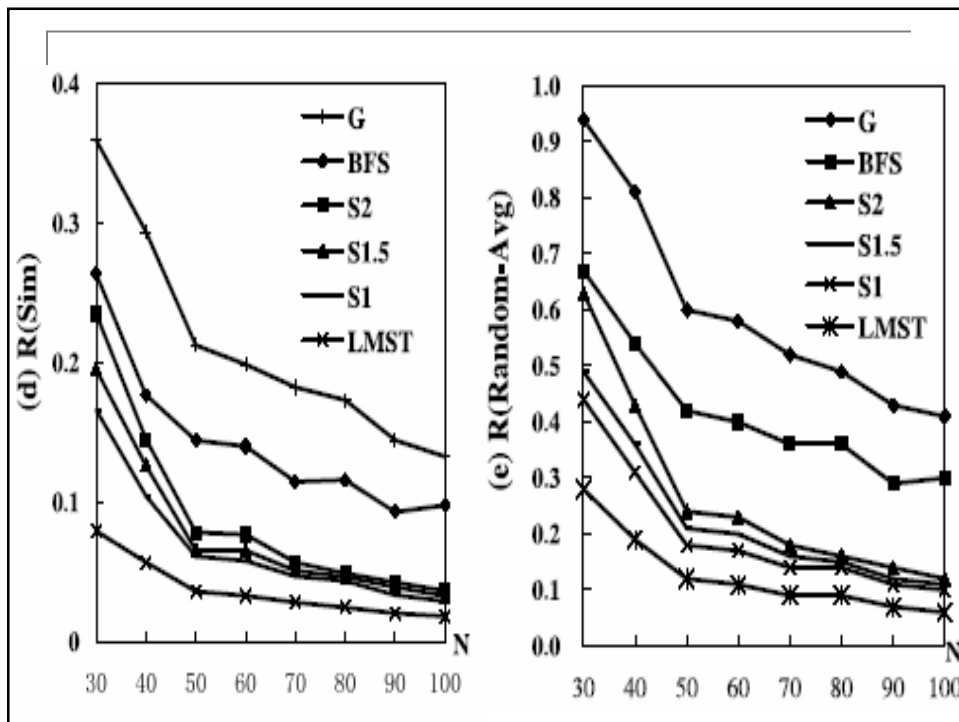
$$R(\text{Sim}) = \frac{\text{delay}}{\text{delay}' \Delta_G} \quad R(\text{Random-Avg}) = \frac{\text{delay}}{\text{delay}' \Delta_G}$$

- delay : the delay under our scheme and
- delay': the delay under Sim or Random-Avg

if a contention-based scheme is used to handle collisions,

$\Delta_G R(\text{sim})$  or  $\Delta_G R(\text{Random-Avg})$ :

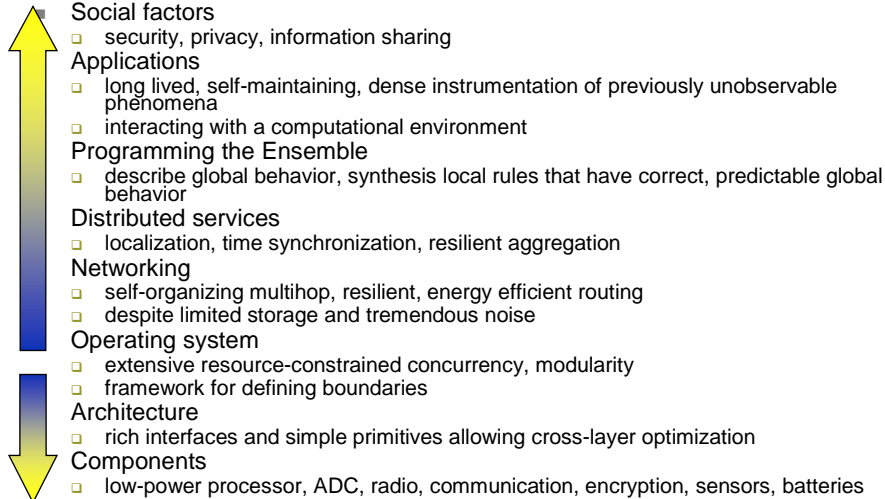
the number of slots within which contention should be resolved to achieve the same performance as our scheme.



## Conclusions

- A new coloring definition
  - Analyses on the number of required colors
  - Heuristics
- Duty cycling scheme
- Simulations

## Small Technology, Broad Agenda



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## The Time is Right

- Don't be afraid to go out and tackle REAL problems.
- They often reveal interesting challenges.
- The technology is (just barely) ready for it.
- There is much innovation ahead.

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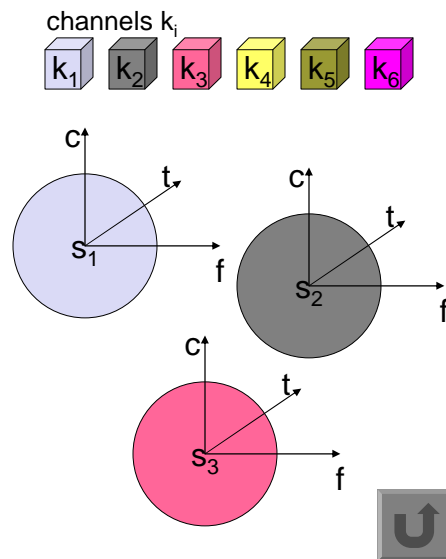
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# Thank You

## Questions & Comments?

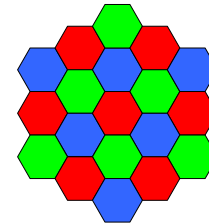
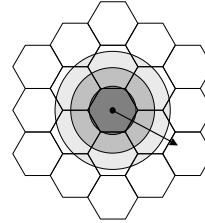
## Multiplexing

- Multiplex channels ( $k$ ) in four dimensions
  - space ( $s$ )
  - time ( $t$ )
  - frequency ( $f$ )
  - code ( $c$ )
- Goal: multiple use of a shared medium
- Important: guard spaces needed!
- Example: radio broadcast



## Example for space multiplexing: Cellular network

- VERY Simplified hexagonal model
- Signal propagation ranges: Frequency reuse only with a certain distance between the base stations
- Can you reuse frequencies in distance 2 or 3 (or more)?
- Graph coloring problem
- Example: fixed frequency assignment for reuse with distance 2
- Interference from neighbor cells (other color) can be controlled with transmit and receive filters

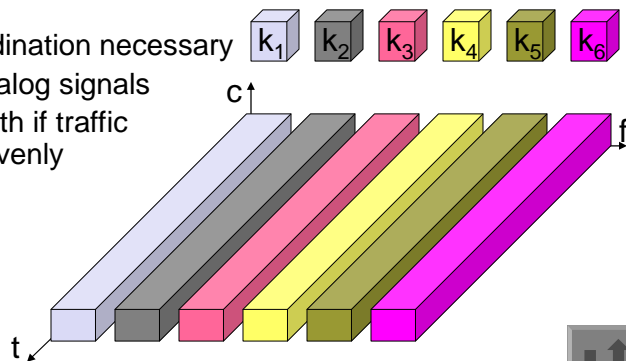


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## Frequency Division Multiplex (FDM)

- Separation of the whole spectrum into smaller frequency bands
  - A channel gets a certain band of the spectrum for the whole time
- + no dynamic coordination necessary
- + works also for analog signals
- waste of bandwidth if traffic is distributed unevenly
- inflexible
- Example: broadcast radio



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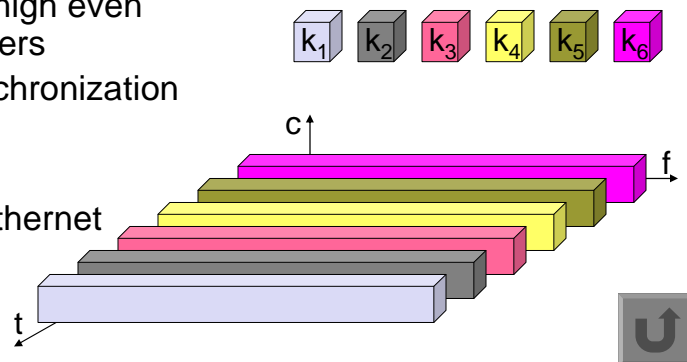
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## Time Division Multiplex (TDM)

- A channel gets the whole spectrum for a certain amount of time
- + only one carrier in the medium at any time
- + throughput high even for many users
- precise synchronization necessary

- Example: Ethernet



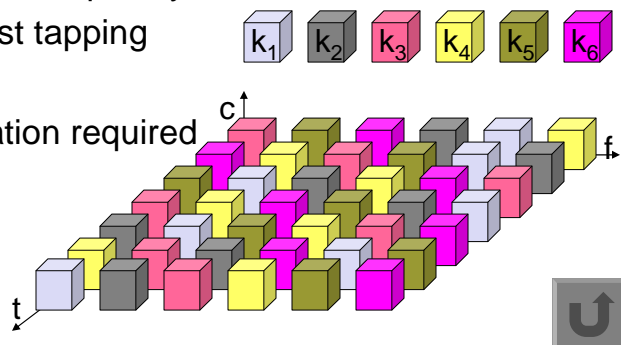
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## Time and Frequency Division Multiplex

- Combination of both methods
- A channel gets a certain frequency band for some time
- + protection against frequency selective interference
- + protection against tapping
- + adaptive
- precise coordination required

- Example: GSM

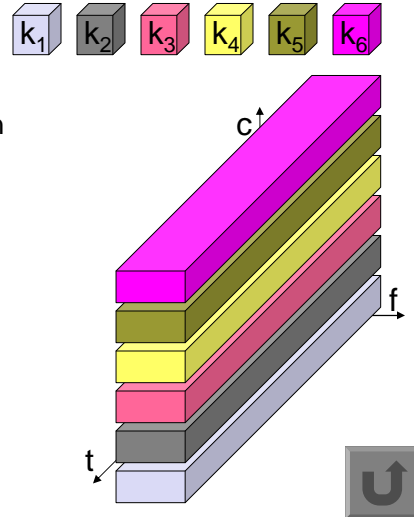


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## Code Division Multiplex (CDM)

- Each channel has a unique code
- All channels use the same spectrum at the same time
- + bandwidth efficient
- + no coordination or synchronization
- + hard to tap
- + almost impossible to jam
- lower user data rates
- more complex signal regeneration
- Example: UMTS
- Spread spectrum
- U. S. Patent 2'292'387, Hedy K. Markey (a.k.a. Lamarr or Kiesler) and George Antheil (1942)

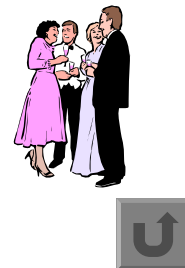


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## Cocktail party as analogy for multiplexing

- Space multiplex: Communicate in different rooms
- Frequency multiplex: Use soprano, alto, tenor, or bass voices to define the communication channels
- Time Frequency: Class room principle
- Code multiplex: Use different languages and hone in on your language. The “farther apart” the languages the better you can filter the “noise”: German/Japanese better than German/Dutch. Can we have orthogonal languages?



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