Summer school: Eco-ICT 2024

Large dynamic system: applications to Earth analysis or ICT

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Outline

- Criteria for Earth-system
- Dynamic systems
	- ⊙ Complex systems
⊙ Possible mathem:
	- Possible mathematical framework
○ Feedback loop and systemic chart
	- Feedback loop and systemic charts
○ Fxamples from Fnvironmental and
	- Examples from Environmental and Life Sciences
		- \rightarrow Finite Amplitude Impulse Response (FaIR) model
		- \hookrightarrow Carbon, Nitrogen, and Phosphorus cycles
		- \leftrightarrow World3 model
- Application to Energy production and ICT
	- Hydrogen-based energy system
	- Future wireless network
	- Smart farming

Section 1 : Earth system criteria

Introduction: Earth system ?

source: NASA

Interactions between

· · ·

- **A** Human societies
- Other life: animals, plants,
- Types of energies: external (sun), internal (wind, fossils, geothermal)
- Different areas of interaction: air, biosphere, hydrosphere, cryosphere, lithosphere

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Criterion 1: "Human societies" approach

- Sustainable Development Goals (SDG) defined in 2015 by UN
- Non-mandatory goals for 2030: just a compass
- Each SDG is composed by some subcriteria
- **Global Sustainability Development Reports**

source: http://www.agenda-2030.fr

SDG08 (employment) and SDG (climate) for France

SDG08 SDG13

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Criterion 2: "Biological planet" approach

Planetary limits defined in 2009 by Stockholm Resilience Center

- identify disturbing biological phenomena leading to non-controlled environmental changes
- but this disturbance comes from human activities Example: soil modification \rightarrow biodiversity decrease
	- \rightarrow decrease of eco-systemic duties (pollination)
	- \rightarrow decrease of natural carbon storage ability
	- \rightarrow increase of Greenhouse Gas (GHG)
- quantify the phenomena-limits (Example: percentage of soil modification)

We need to stay on the disk whose the border is the limits to guarantee safe life conditions for human beings: "safe space" for human life. Warning: these limits are not resource based limits.

source: J. Rockström et al., "A safe operating space for humanity", Nature, 2009

Nine planetary limits (1/2)

Nine planetary limits (2/2)

source: www.statistiques.developpement-durable.gouv.fr/edition-numerique/la-france-face-aux-neuf-

limites-planetaires

Planetary limits over time

- **•** First complete evaluation in 2023
- Warning: static approach (inertia not taken into account)

source: K. Richardson et al., "Earth beyond six of nine planetary bounds", Science Advances, 2023

Criterion 3: "Socio-environmental" approach

- Doughnut theory
- Social floor (11 SDG) and environmental ceiling (9 SDG)

source: K. Raworth, "A safe and just space for humanity : can we live within the doughnut?", 2012 ; D. O'Neil, "A good life for all within planetary boundaries", Nature Sustainability, 2018

Metrics in different approaches are not independent !

Types of regression:

- $\bullet \ y = \alpha_1 + \beta_1 x \ (lin-lin)$
- $y = \alpha_2 + \beta_2 \log(x)$ (lin-log)
- $\log(y) = \alpha_3 + \beta_3 \log(x)$ (log-log)

Quality of interpolation:

$$
R^2 = 1 - \frac{\sum_{i \in \mathcal{I}} (y_i - \hat{y}_i)^2}{\sum_{i \in \mathcal{I}} (y_i - \overline{y})^2}
$$

Multi-metrics optimization (1/2)

min $f_i(\mathsf{x})$, ∀i
 $\mathsf{x} \in \mathcal{C}$

It is not well-posed problem due to coupling in f_i

1. We only keep one metric i_0 (eg: CO_2 or GDP)

min $f_{i_0}(\mathsf{x})$

2. We aggregate the criteria (eg: inflation rate)

$$
\min_{\mathbf{x}\in\mathcal{C}}\sum_i w_i f_i(\mathbf{x})
$$

3. We bound the criteria (eg: Doughnut's theory)

 $\mathsf{x} \in \mathcal{C}$, s.t. $f_i(\mathsf{x}) \geq L_i, i \in \mathcal{I}_L$ and $f_i(\mathsf{x}) \leq M_i, i \in \mathcal{I}_M$

 \hookrightarrow barrier function (eg: logarithm)

Multi-metrics optimization (2/2)

4. Pareto point : at this point, no uniform improvement possible

$$
\mathcal{P} = \{ \mathbf{x}' \in \mathcal{C} | \{ \mathbf{x} \in \mathcal{C} | f_i(\mathbf{x}') > f_i(\mathbf{x}), \forall i \} = \emptyset \}
$$

Toy example : function maximization

$$
f_1(x_1, x_2) = x_1 + x_2 \text{ and } f_2(x_1, x_2) = \frac{x_1}{x_1 + x_2} \text{ with } (x_1, x_2) \in [0, 1]^2
$$

1. If $i_0 = 1$, $x_1^* = 1$ and $x_2^* = 1$
2. If $f = f_1 + 4f_2$, $x_1^* = 1$ and $x_2^* = 0$
3. If $f_1 \ge 0.5$, $f_2 \le 0.25$, $x_1^* = 0$ and $x_2^* = 1$
4. Pareto: $x_1^* = 1$ et $x_2^* = 1$

Section 2 : Dynamic systems

Complex system

- Many inter-connected units
- no central decision point
- Complicated at each scale (macro/meso/micro)
- Often time-varying structure
- Often mis-defined functions
- Emerging properties (macro-level phenomenon not predictable at micro-level)
- Counter-example: the car (complicated but clear goal)
- Mathematical example: graphs
- Physical example: wind direction
- **•** Example in that lecture: Earth system

Dynamic system

$$
\dot{\mathbf{x}}(t) = f(\mathbf{x}(t), \theta_t, \mathbf{u})
$$
 or $\mathbf{x}_{n+1} = f(\mathbf{x}_n, \theta_n, \mathbf{u}_n)$

with

- $\dot{x}(t) = dx/dt$
- $x(t)$: state at time t (init. at $x(0)$ or x_0)
- $\boldsymbol{\theta}_t$: parameters
- u: control

System characterization (through f)

By default, nonlinear system with feedback loop

 \bullet If f does not depend on \mathbf{u} :

 \bullet If f depends on u: possible controllable system

Autonomous linear system

• 1-D system:

$$
\dot{x} = \alpha x \Rightarrow x(t) = x(0)e^{\alpha t}
$$

 \rightarrow Asymptotic behavior: $x(t) \rightarrow 0$ if $\alpha < 0$, $x(t) \rightarrow \infty$ if $\alpha > 0$

 \rightarrow This behavior independent of any initialization

• N-D system:

$$
\dot{\mathbf{x}} = \mathbf{A}\mathbf{x} \Rightarrow \mathbf{x}(t) = e^{\mathbf{A}t}\mathbf{x}(0)
$$

with

 $\leftrightarrow e^{\mathbf{A}t} = \sum_{n\geq 0} \mathbf{A}^n/n!$ \rightarrow behavior depends on the eigenvalues (if diagonalizable matrix)

Example: 2-D system (1/2)

- A: 2 \times 2 matrix of determinant δ and trace τ
- Assumptions: $\delta \neq 0$ (invertible), $\tau^2 4\delta \neq 0$ (diagonalizable)
- Distinct eigenvalues:

$$
\{\lambda_1,\lambda_2\}=\frac{\tau\pm\sqrt{\tau^2-4\delta}}{2}
$$

Which analysis?

At equilibrium point: x_e t.q $\dot{x} = 0 \Leftrightarrow f(x_e) = 0$

 \leftrightarrow here, unique point $x_e = 0$

• Asymptotic behavior: when $t \to \infty$

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Example: 2-D system (2/2)

Assumption: $\delta > 0$ $\tau^2-4\delta>0$: $\circ \tau$ < 0: stable equilibrium $\circ \tau > 0$: unstable equilibrium $\tau^2-4\delta< 0$: $\circ \tau$ < 0: stable focal point $\circ \tau > 0$: unstable focal point $\bullet \tau = 0$: circle

State equations

System state representation: state of system x is not always observable or with some noise

$$
\begin{cases}\n\dot{x} = f(x, u) & \text{if } \text{lin.} \\
y = h(x, u, w)\n\end{cases}\n\begin{cases}\n\dot{x} = Ax + Bu \\
y = Cx + Du + Ew\n\end{cases}
$$

with w a random vector

Example:
$$
y_n = h_0 x_n + h_1 x_{n-1} + h_2 x_{n-2} + w_n
$$

We get $\mathbf{x}_n = [x_{n-1}, x_{n-2}]^\text{T}$ and $u_n = x_n$ with

$$
\mathbf{A} = \begin{bmatrix} 0 & 0 \\ 1 & 0 \end{bmatrix}, \mathbf{B} = \begin{bmatrix} 1 \\ 0 \end{bmatrix}, \mathbf{C} = [h_1, h_2], \mathbf{D} = h_0, \mathbf{E} = 1
$$

Controllability condition

A system is *controllable* if we can start from any state x_i in t_i and comes at any state x_f in t_f with a control **u** applied on $[t_i, t_f]$. Warning: in discrete-time case, time of arrival t_f is just finite

Kalman criterion for linear system

Let **A** be a $m \times m$ matrix. The system is controllable iff

$$
\mathsf{rank}\left(\left[\mathsf{B},\mathsf{AB},\cdots,\mathsf{A}^{m-1}\mathsf{B}\right]\right)=m
$$

Remarks:

- Any linear system is not controllable
- \bullet In the "climate" case, control $=$ public policies

Sketch of proof (discrete-time case)

Let

- \bullet B of size $m \times p$.
- then $\mathbf{Q} = [\mathbf{B}, \mathbf{AB}, \cdots, \mathbf{A}^{n-1} \mathbf{B}]$ of size $m \times np$

We get

$$
\mathbf{x}_n = \mathbf{A}^n \mathbf{x}_0 + \sum_{i=0}^{n-1} \mathbf{A}^{n-1-i} \mathbf{B} \mathbf{u}_i
$$

$$
= \mathbf{A}^n \mathbf{x}_0 + \mathbf{Q} \underline{\mathbf{u}}
$$

If Q full rank (with $m \le np$ and so rank = m), then Q right-invertible, and if goal is $x_n = x_n^*$, then choose

$$
\underline{\mathbf{u}}^{\star} = \mathbf{Q}^{\#}(\mathbf{x}_n^{\star} - \mathbf{A}^n \mathbf{x}_0)
$$

Counter-example: non-controllability and non-reversibility

- \bullet Start from x_0
- Arrival at x_n through control u_n

Question: can we go back to x_0 of non-controllable system? Let

$$
\mathbf{A} = \left[\begin{array}{cc} 1 & 0 \\ 0 & 0 \end{array} \right], \ \mathbf{B} = \left[\begin{array}{c} 1 \\ 0 \end{array} \right] \ \text{and} \ \mathbf{x}_0 = \left[\begin{array}{c} 0 \\ 1 \end{array} \right]
$$

Non-controllable system since $\mathbf{Q}_n = [\mathbf{B}, \cdots, \mathbf{B}] \Rightarrow \text{rank}(\mathbf{Q}_n) = 1$

$$
\mathbf{x}_n = \mathbf{A}^n \mathbf{x}_0 + \mathbf{Q}_n \underline{\mathbf{u}}_n = \begin{bmatrix} \alpha := \sum_{i=0}^{n-1} \mathbf{u}_i(1) \\ 0 \end{bmatrix}, \text{ for } n \geq 1
$$

$$
\mathbf{x}_{n+N} = \mathbf{A}^N \mathbf{x}_n + \sum_{i=n}^{n+N-1} \mathbf{A}^{n+N-1-i} \mathbf{B} \mathbf{u}_i
$$

= $\begin{bmatrix} \alpha \\ 0 \end{bmatrix} + \begin{bmatrix} \beta := \sum_{i=n}^{n+N-1} \mathbf{u}_i(1) \\ 0 \end{bmatrix} = \begin{bmatrix} \gamma \\ 0 \end{bmatrix} \neq \mathbf{x}_0$

and so non-reversible system!

Attractors

Definition

Set A to which some trajectories $x(t)$ converge.

• let $t \mapsto \phi_t(x)$ be a flow, ie, solution of dynamic system initialized at x

$$
\bullet \ \phi_t(\mathcal{A}) = \mathcal{A}
$$

• it exist a set B different from A s.t. $\forall t > t_0$, then $\phi_t(\mathcal{B}) \in \mathcal{A}$

Different types

Example of attractors

$$
z_{n+1} = f(z_n)
$$
 with $f(z) = \frac{2z}{3} + \frac{1}{3z^2}$

The equilibria are: 1, j , and j^2

source: P. Collet, "Quelques notions et résultats sur les systèmes dynamiques", lecture of Ecole

Polytechnique

Link with Environmental and Life Sciences

- \bullet f is not precisely known
- \bullet f is time-varying (some hyper-parameters may be non-constant)
- \bullet f may have different behaviors depending on the value of x (and so of u)
- even the underlying states x are not precisely known
- \bullet even only partial observations **y** and can not be reproduced

Nevertheless, we know

- **•** complex system: strange attractor or tipping points possible
- non-reversibility:
	- \hookrightarrow a dead species does not come back
	- \rightarrow some chemical reactions do not come back (photosynthesis stops at $47,5^{\circ}$ C and does not operate anymore)

Tipping points

• $\dot{\mathbf{x}} = f(\mathbf{x}, \mathbf{u})$ with **u** (CO₂)

 \leftrightarrow seen as a control or as a parameter

• attractors (their area) change with u

- Different equilibrium points with attraction area \bullet
- Tipping point (No-return point) corresponds the attraction area's borders leading to a different behavioral regime

source: W. Steffen et al., "Trajectories of the Earth System in the Anthrophocene", Proceedings of the

National Academy of Sciences, 2018

Feedback loop

If
$$
\mathbf{x} = [x_1, \dots, x_m]^T
$$
, then, for $i = 1, \dots, m$,

$$
\dot{x}_i = f_i(x_i) + g_i(x_i, \mathbf{x}_{\overline{i}})
$$

with g_i the feedback/coupling loop

Systemic chart:

Feedback loop

If
$$
\mathbf{x} = [x_1, \dots, x_m]^T
$$
, then, for $i = 1, \dots, m$,

$$
\dot{x}_i = f_i(x_i) + g_i(x_i, \mathbf{x}_{\overline{i}})
$$

with g_i the feedback/coupling loop

Systemic chart:

Example 1: Lotka-Volterra model [1926]

- \bullet x_1 : population density of prey
- \bullet x_2 : population density of predator

$$
\begin{cases}\n\dot{x}_1 = x_1(\alpha - \beta x_2) \\
\dot{x}_2 = -x_2(\gamma - \delta x_1)\n\end{cases}
$$

with

- \circ α : growth rate for prey
- \circ β : death rate for prey linked with predator's density
- $\circ \gamma$: death rate for predator
- \circ δ : growth rate for predator linked with prey's density

source: I. Akjouj, "Large random LV systems with vanishing species: a mathematical approach", 2023

Analysis of Lotka-Volterra model

Equilibrium points:

$$
\mathbf{x}_{e}^{(0)} = (0,0) \text{ and } \mathbf{x}_{e}^{(1)} = \left(\frac{\gamma}{\delta}, \frac{\alpha}{\beta}\right)
$$
\nAnalysis of equilibrium points: Jacobian matrix

\n
$$
\left[\begin{array}{cc} \alpha & 0 \\ 0 & -\gamma \end{array}\right] \text{ and } \left[\begin{array}{cc} 0 & -\frac{\beta\gamma}{\delta} \\ \frac{\alpha\delta}{\beta} & 0 \end{array}\right]
$$
\nand

\n
$$
\left[\begin{array}{cc} \alpha & 0 \\ 0 & -\gamma \end{array}\right] \text{ and } \left[\begin{array}{cc} 0 & -\frac{\beta\gamma}{\delta} \\ \frac{\alpha\delta}{\beta} & 0 \end{array}\right]
$$
\nonly, the following equation is

\n
$$
\left[\begin{array}{cc} \alpha & 0 \\ 0 & \frac{\alpha\delta}{\beta} & 0 \end{array}\right]
$$
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\n
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\n
$$
\left[\begin{array}{cc} \alpha & 0 \\ 0 & \frac{\alpha\delta}{\beta} & 0 \end{array}\right]
$$
\nonly, the following equation is

\n
$$
\left[\begin{array}{cc} \alpha & 0 \\ 0 & \frac{\alpha\delta}{\beta
$$

 $\circ \mathbf{x}_{e}^{(0)}$ saddle point \sim $\mathsf{x}_{\mathrm{e}}^{(1)}$ ellipse (since eigenvalues are purely imaginary)

C

Lotka-Volterra attractor

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Example 2: IPCC/AR5 climate model [2014]

$$
\begin{cases}\n\dot{c} &= Ac + bu \\
\dot{\theta} &= C\theta + df(c) \\
y &= e\theta\n\end{cases}
$$

with

- y: global temperature gap
- $c: CO₂$ concentration in several boxes (ocean, surface, air, etc)
- \bullet θ : temperature gap in each box
- \bullet u: $CO₂$ emission
- v: radiative forcing function $\rightarrow f(\mathsf{c}) = \mathsf{f}$. log $\left(\frac{\mathsf{c}}{\mathsf{c}_{\mathsf{ref}}}\right) + f_{\mathsf{noCo2}}$
- A and C have negative diagonal terms

Geometric growth in $CO₂$ leads to arithmetic growth in temperature

source: R. Millar et al., "A modified impulse response representation of the global near surface air

temperature and atmospheric concentration response to $CO₂$ emissions", 2017 ; N. Leach et al.,

"FAIRv2.0.0: an impulse response model for climate uncertainty and future scenario exploration", 2021

Link between radiative forcing and $CO₂$ concentration

source: Model MODTRAN, https://climatemodels.uchicago.edu/modtran, University of Chicago

Some feedback loops (hidden in the model)

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Example 3: Biogeochemical carbon cycle (C)

 $CO₂$ concentration change:

- + volcanism: -250Myr (end of Permian period) in Central Siberia
- − erosion: -330Myr (beginning of Permian period) with Pangea
- − vegetation emergence: -400Myr (end of Devonian period)
- $+$ industrial revolution: 1850 ("beginning" of Anthropocene)

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Example 4: Nitrogen cycle (N)

Nitrogen useful for ADN forming and Protein manufacturing

This cycle can be seen as a dynamic system with

- x: concentration of N-based molecules in different areas
- u: control by adding/removing nitrate via HB or excrement

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Political crisis and cycle disturbance

Dutch political crisis due to N cycle !

- Due to Natura2000 area (from EU law)
	- each State has to do some analysis about N
	- in France, biodiversity state ; in Netherlands, aggregated concentration analysis

Concern: values are higher than target threshold. Why ?

- Second world exporter of agricultural products
- 12M porks (13M in France)

Political crisis and cycle disturbance (cont'd)

Due to complain (at Dutch State Council in 2019),

- goal for a rejection reduction of 50% by 2030
- stronger reduction around Natura2000 area
- any increase has to be compensated for an equivalent decrease

New policy in 2022:

- Any new construction is stopped
- New speed limit: $130 \rightarrow 100$ km/h (gain of 75000 flats)
- Stop (20%) or decrease of size or organic conversion (30%) for farms (budget of $25 \times$)

Impact on Dutch political life:

- Creation of new political party: BBB (BoerBurgerBeweging)
- Resignation of Prime Minister M. Rutte (right) in June 2023
- Victory of G. Wilders' party (ultra-right) in November 2023

Example 5: Phosphorus cycle (P)

Phosphorus useful for ADN forming and bones

Dynamic system model in water

- \bullet p_1 : inert phosphorus
- \bullet p_2 : phytoplankton (like predator)
- \bullet p_3 : zooplankton (like prey)

- p_1 $\frac{p_1}{k+p_1}$ corresponds to Michaelis-Menten principle (linear then saturation)
- If human control (fertilization), then $k_3p_3 k_2 \frac{p_1}{k+p_1}$ $\frac{p_1}{k+p_1} p_2 + u$

Numerical results

Without forcing:

With forcing:

when

\n- $$
p_1(0) = 98
$$
, $p_2(0) = p_3(0) = 0.1$
\n- $u = 2$ or -1 mg/(m³.j)
\n

Example 6: Global Earth system model

Around '70, new ideas: Earth is a global system with interactions

- Gaia hypothesis [Lovelock1970] with Daisyworld model
	- "each Earth element plays a (small) role for saving the global life" (complex system definition)
	- Human beings are just an element
	- Crucial issue: No compatible with Darwinian theory
	- "new way for seeing the link of beings and Earth" [Latour]
- In parallel, biological-economical-sociological point of view
	- Gosplan in Soviet Union
		- Economy/Industry/Ressources model with 14,440 parameters
	- Club of Rome report (so-called "Meadows" report) [1972]
		- Forrester then Meadows et al. built World3 model
	- Climate change impact on Economy: DICE model [1992]

source: D. Meadows et al., "Limits to Growth", 1972 ; E. Egnell et al., "URSS: entreprise et Etat", 1974

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World 3: relationship between main boxes

Five main boxes/states: agriculture, capital (industrial/tertiary), pollution, population, non-renewable resource

World 3: final model

Last World3 has 315 intermediate variables (but still 5 states)

source: M. Jochaud du Plessix, "Analyse du modèle World3", 2019

World 3: box/state "Pollution"

- \bullet x: persistent pollution
- **e** controls from other boxes
	- o u_1 (population),
	- \circ u₂ (resource per capita),
	- \circ u₃ (arable land),
	- \circ u_4 (fertilizer per hectare)

$$
\dot{x} = (2.10^{-2} u_1 u_2 + 10^{-4} u_3 u_4) - \frac{x}{2.1 f(x/x_0)}
$$

with x_0 a common benchmark and f a lookup table related to non pollution absorption

World 3: some storys

- Left: same growth as in 1970
- Center: growth of non-renewable resource use
- Right: new public policy (fertility rate of 2, vanishing economical growth, technologies for pollution control)

source: F. Rechenmann, "Limites de la croissance", Interstices, 2014 (image: V. Landrin)

Section 3 : Applications to Energy production and ICT

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Application 1: Hydrogen based energy system

Possible solution as an energy vector for

- storage (irregular production) instead of dams or batteries
- embodied/mobile system
	- \circ compressed air at 700 bars: 40kWh/kg 1,25MWh/m³
	- \circ fluid at 20 \circ K: 40kWh/kg 2,36MWh/m³
	- Reminder (kerosene): 12kWh/kg 10MWh/m³

Taxonomy of production

Systemic chart for Hydrogen use

Zero $CO₂$ net emission

Systemic chart for Hydrogen use

 $CO₂$ emission level depends on the path in the graph

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Systemic chart for E-fuel (related to Hydrogen)

- Sustainable Aviation Fuel (SAF), E-fuel
- Be careful on double counting (Industry or Motor)
- Be careful on incompatibility of solution \bullet

Application 2: Future wireless network

A new generation each 10 years

- 2G: first digital generation: design for voice
- 3G: data (mobile Internet on the street: what an idea?)
- 4G: high data rate (touch screen saves the idea)
- \bullet 5G:
	- Very high data rate (eMMB) : cellular network
	- Low Latency and high reliability (URLLC) : automation
	- Massive connectivity (mMTC) : Internet of Things (IoT)
- \bullet 6G: under progress \rightarrow Ultra high data rate, \cdots

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Solutions "for" or "by" these networks

• Solution 1: GreenIT

Energy efficiency $=$ $\frac{\text{performance metric}}{\text{consumed energy}}$ consumed energy

- Relative goal (less GHG per unit)
- Rebound effect (number of units increases)
- This technical answer may be not enough to fix the problem
- Solution 2: IT for Green
	- Deported goal (less GHG but elsewhere)
○ Enablement effect with deportation of er
	- Enablement effect with deportation of energy efficiency
	- This technical answer may be not enough to fix the problem
- Solution 3: Sufficiency
	- Consumed energy/power is pre-fixed
	- Avoid rebound effect, ensure enablement effect
	- but use limits to be defined. By whom?

Efficiency $=$ Optimization ; Sufficiency $=$ Way of Life

Is it efficient?

Very high data rate: massive MIMO, larger bandwidth

$$
E_{\text{tx,file}} = \frac{LP_{\text{tx}}}{n_{\text{tx}}B\log_2\left(1 + \gamma \frac{P_{\text{tx}}}{n_{\text{tx}}BN_0}\right)}
$$

• Efficiency

- \circ in transmit energy E_{tx} : yes
- in consumed energy per device: ?
- \circ in consumed energy for manufacturing: ? (#depreciation year)
- Sufficiency: no
- Other ideas for 6G but only in efficiency or decarbonization
	- Harvested (solar/wind) energy
	- Distributed storage to limit core network access
	- but no manufacturing cost or variable device cost

Example 1: macroscopic analysis

- 4G model: $P = P_0 + \alpha R$
- 5G model: $P_{5g} = \beta P(B_{5g}/B)^{0.95} (S_{5g}/S)^{0.1}$ with S flows
- Traffic (sleeping mode)

source : L. Golard et al., "Evaluation and projection of 4G and 5G RAN energy footprints : the case of

Belgium for 2022-2025," Annals of Telecoms, 2024

Example 2: microscopic analysis

- 4G model: 4 antennas, already 10 depreciation years
- 5G model: 100 antennas
- Manufacturing taken into account (especially antennas cost)

source : P. Ciblat, "A propos du MIMO massif dans un contexte de sobriété numérique," Gretsi, 2022

Systemic chart

Systemic chart

Application 3: Smart farming

- Sensing, monitoring (communication & control)
	- \rightarrow geolocation, satellite image, local sensors, data network, computation for decision-making \rightarrow large techno-structure
- Goals
	- \hookrightarrow First, increase of yields

 \rightarrow Second, fertilizer/water decrease but failure of Ecophyto plan

source: https://blog.spotifarm.fr ; http://www.ofb.gouv.fr ; J. Oui, "Produire une faute -conforme-. Outils numériques et normes environnementales en agriculture", Sociologies Pratiques, 2024

Systemic chart

Systemic chart

Conclusion

Sustainable system (SDG): an old story ...

- "satisfy the needs for the current generation without preventing the next generation to satisfy their needs", G. Brundtland (Norwegian Prime minister) in 1988
- "speed up the technical progress but without high natural resource consumption, without dangerous pollution, and without exhausting the soil", L. Brejnev (General Secretary of Communist Party of Soviet Union) in 1971

... but both types of Human societies fail on that point