

# CR11: assignment 2

deadline: 4<sup>th</sup> January 2016

Please write a concise report in PDF format and send it to: [russell.harmer@ens-lyon.fr](mailto:russell.harmer@ens-lyon.fr)

You can use gnuplot, or any other plotting software you wish, to produce the figures. If at all possible, please incorporate all figures (and Kappa rules/models) into the main body of your report.

Start by downloading GK.ka from: <http://perso.ens-lyon.fr/russell.harmer/CR11/GK.ka>

## Question 1.

- Run simulations of GK.ka with KaSim [3000 time units should be enough; use a command line like: `kasim -i GK.ka -t 3000 -p 1000 -o output_file`] to determine the steady-state value of the observable **s1?** starting from initial conditions with 50, 100, 150 and 200 **K(s)** (with 2000 **S(s~0)** and 100 **P(s)** in each case). Plot all four simulations in the same figure.
- What do these results suggest for the overall shape of the dose-response curve of **K()** vs. ‘the steady-state value of **s1?**’?

## Question 2.

Modify GK.ka in order to obtain, with a *single* simulation, the full dose-response curve for  $0 \leq \mathbf{K}() \leq 200$ .

## Question 3.

Further modify GK.ka so that **S** now has a second site, with a 0/1 state, whose state is modified by **K** and **P**. (Use the same rate constants as for the corresponding rules for site **s**.)

- What design choices did you make? What other choices could you have made?
- Define an observable **s11?** that tracks the number of **S** agents in state **1** for *both* sites.
- Run a *single* simulation to obtain the dose-response curve of **K()** vs. ‘the steady-state value of **s11?**’ for  $0 \leq \mathbf{K}() \leq 200$ .
- Is there a difference between this curve and that of question 2? What do you think would happen if we added even more such sites to **S**?

## Question 4.

Modify GK.ka (the original file, not your answers to questions 2 and 3) in order that **K** and **P** bind only those **S** agents that are *already* in the state that they can subsequently modify.

- Run simulations to determine the steady-state value of **s1?** starting from initial conditions with 50, 70, 90, 110, 130 and 150 **K(s)** (with 2000 **S(s~0)** and 100 **P(s)** in each case). Plot all six simulations in the same figure.
- How does the shape of these curves differ from those obtained in question 1? Can you explain why?
- What do these results suggest for the overall shape of the dose-response curve of ‘**K()**’ vs. ‘the steady-state value of **s1?**’?

## Question 5.

Further modify your answer to question 4 in order to obtain, with a *single* simulation, the full dose-response curve for  $0 \leq \mathbf{K}() \leq 200$ . [This simulation may take quite a long time; probably 15–30 minutes.]

- Can you explain the difference between this curve and that of question 2?