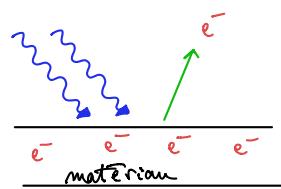
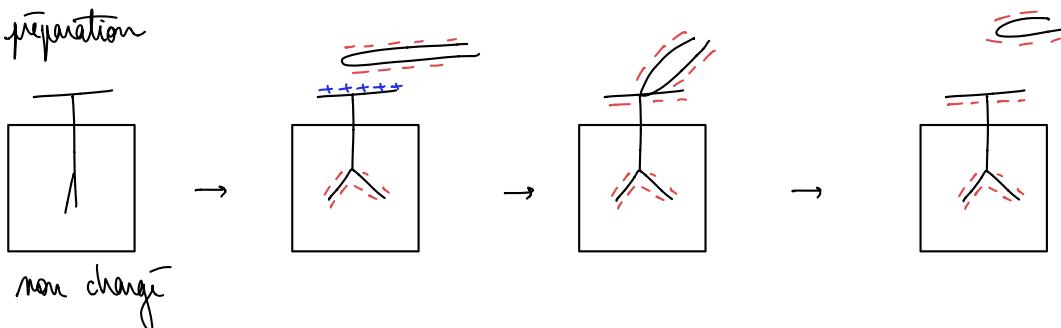


I. A.

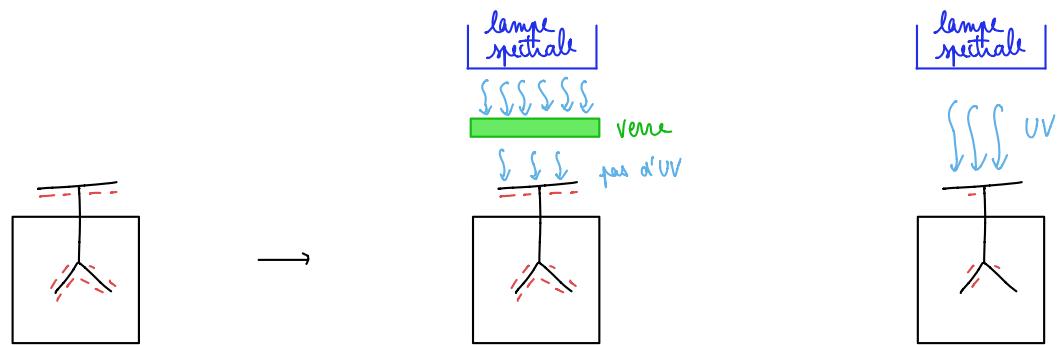


préparation

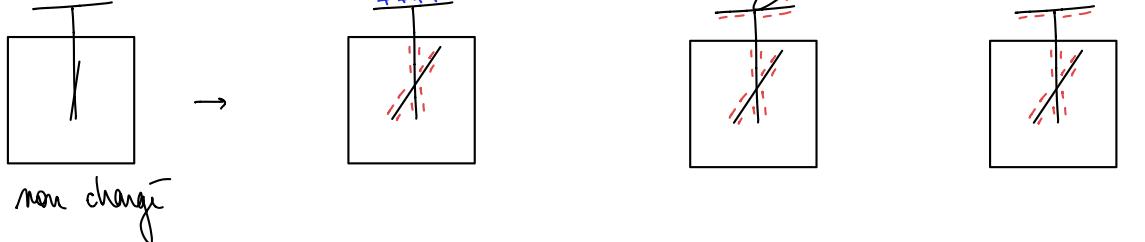
L.



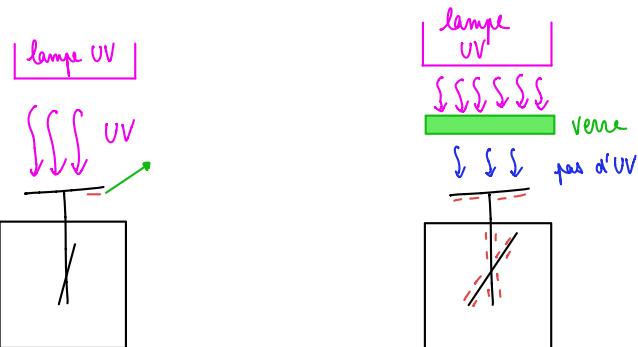
non chargé

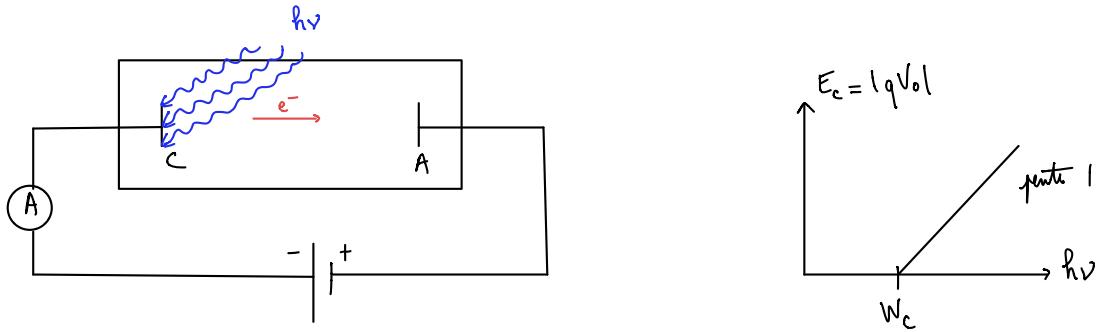


préparation

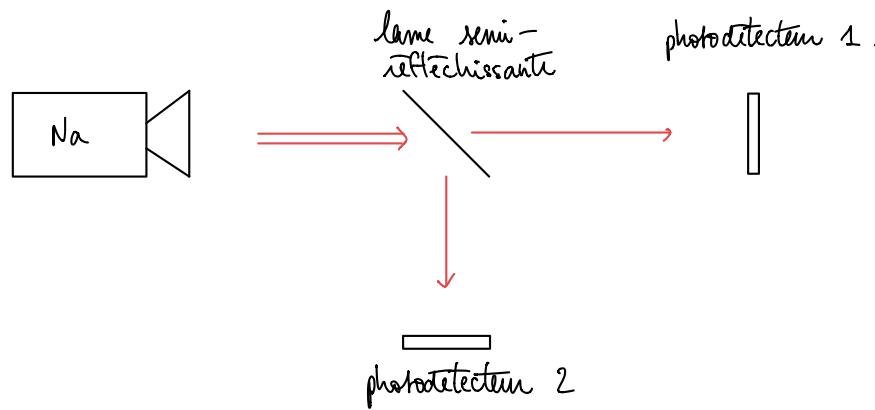


non chargé





3.

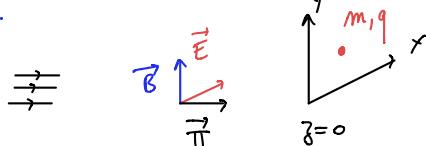


$$g^{(1)}(\tau) \equiv \frac{\langle \Delta I_1(t) \Delta I_2(t+\tau) \rangle}{\langle I_1(t) \rangle \langle I_2(t+\tau) \rangle} \quad \text{en } AI \equiv I - \langle I \rangle$$

classique  
↓

$$g^{(1)}(\tau=0) = 0.4 \rightarrow \text{anticorrelation} \quad (g^{(1)}(\tau) \geq 1)$$

II 1.



On considère une O.P.P.H. selon Oz arrivant sur une particule  $(m, q)$  maintenue dans le plan  $z=0$

$$\vec{E}(j, t) = E_0 \cos(\omega t - k_j z) \hat{u}_x$$

$$\vec{B} = \frac{1}{c} \vec{u}_y \wedge \vec{E}$$

$$\bullet \Delta \vec{p}_{\text{Lorentz}} = \int_0^T \vec{F} dt = \int_0^T (q \vec{v} \wedge \vec{B}(0, t)) dt = \int_0^T \frac{q}{c} \vec{v} \wedge (\vec{u}_y \wedge \vec{E}(0, t)) dt = \underbrace{\int_0^T q (\vec{v} \cdot \vec{E}(0, t)) \vec{u}_y dt}_{\text{puissance}} - \underbrace{\int_0^T \frac{q}{c} (\vec{v} \cdot \vec{u}_y) \vec{E}(0, t) dt}_{\text{(la partie magnétique ne travaille pas)}}$$

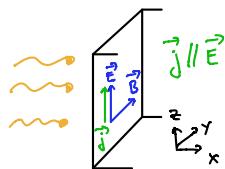
$$\int_0^T \vec{E}(0, t) dt = 0 \quad \text{périodicité}$$

car particule reste à  $z=0$

$$\Delta \vec{p} = \frac{W}{c} \vec{u}_y$$

$$\bullet \text{avec les photons, } W = N h \nu \quad \left. \begin{array}{l} \text{absorbis pendant 1 période} \\ \vec{p}_{\text{photon}} = N \vec{p}_{\text{1, photon}} \end{array} \right\} \quad \boxed{\vec{p}_{\text{1, photon}} = \frac{h \nu}{c} \cdot \vec{u}_y}$$

### Pression de Radiation



On veut calculer  $\text{Prod} :$

$$\text{Prod} = \epsilon_0 E^2 = 2 \frac{\langle | \vec{H} |_{\text{inc}} \rangle}{c}$$

$$\langle | \vec{H} |_{\text{inc}} \rangle = c \cdot \frac{\epsilon_0 E^2}{2}$$

ODG  $\text{Prod} : \sim 10^{-8} \text{ Pa}$

Puissance: laser  $\sim \text{mW/mm}^2$   
soleil  $\sim 1 \text{kW/m}^2 \sim \text{mW/mm}^2$  comme le laser

ingrédients

$$\frac{d^2 F}{dy dz} = d\vec{F} \cdot \frac{d\vec{s}}{dy dz} \quad \text{force de Laplace}$$

$$d\vec{s} = |\vec{j}| dx \vec{u}_y, \quad d\vec{F} = dz \vec{u}_z$$

$$\vec{j} = \frac{1}{\mu_0} \frac{\partial B_y}{\partial x} \vec{u}_z \quad \text{MA en négligeant ARQS magnétique} \quad \frac{1}{c^2} \frac{\partial \vec{E}}{\partial t}$$

$$B_y(x=0) = - \frac{2}{c} E_0 \cos(\omega t) \quad \text{(effet de peau)}$$

$$B_y(x=\infty) = 0$$

à la réflexion d'un O.P.P.M.

$$\begin{array}{ccc} \uparrow \vec{E}_i & \rightarrow & \leftarrow \vec{B}_i \\ \downarrow \vec{E}_r & & \leftarrow \vec{B}_r \\ (\vec{E}, \vec{E}, \vec{B}) \text{ direct} \end{array}$$

II)

1.

