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 increasing the energy efficiency of data-centers supplying data-centers with only green energy



#### **DATAZERO:** an innovative Datacenter model









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Adapting the IT load to the available power & Adapting the power to the incoming IT load



while using a mix of only green energy sources (without grid power usage)

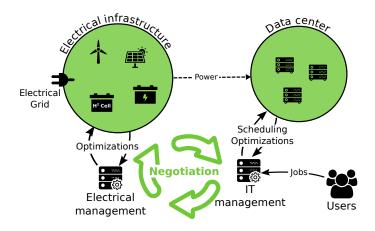








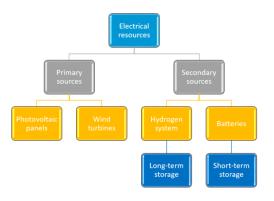
## **DATAZERO:** the big picture





#### **Architecture of the system**

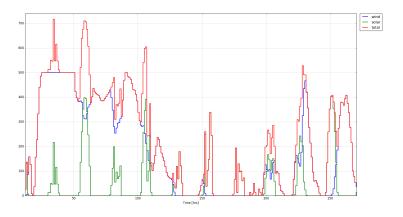
The electrical sources used to power the data center are divided into 2 different types:





#### **Problematic**

#### Primary sources has intrinsic characteristics: Intermittence





#### **Problematic**



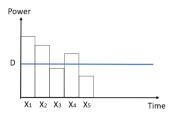
#### question point?

- How is it possible then to meet the data center power demand?
- Is it possible to characterize the primary power obtained in order to get a continuous maximal power using storage sources?

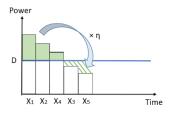


- ⇒ determining the maximum continuous power during one year
- $\Rightarrow$  the overproduction covers the underproduction using storage elements

#### For instance:







$$(x_1 - D) \times \eta + (x_2 - D) \times \eta + (x_4 - D) \times \eta + (x_3 - D) + (x_5 - D) = 0$$

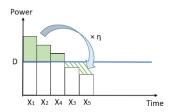
$$(x_1 + x_2 + x_4) \times \eta - 3D\eta + (x_3 + x_5) - 2D = 0$$

$$(x_1 + x_2 + x_4) \times \eta - (3\eta + 2) \times D + (x_3 + x_5) = 0$$

$$D = \frac{(x_1 + x_2 + x_4) \times \eta + x_3 + x_5}{3\eta + 2}$$







#### General formula

$$D = \frac{\eta \sum_{1}^{k} x_{i} + \sum_{k=1}^{n} x_{i}}{n - k(1 - \eta)}$$
 (1)

where:  $\eta$ = The storage efficiency, n=number of values sorted, k= is the number of time slots where the renewable energy production is bigger than the demand





- 1. Calculation of the electrical production of the primary sources
- 2. Sorting production values in a descending order
- 3. Computing D using dichotomy on k
- 4. Proceeding to the sizing of storage elements





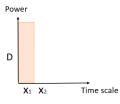
 It consists in using the battery to cover the lack of production during hours in the same day

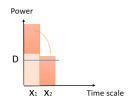


• Compute D with the same formula in (1) for each day taking into account the efficiency of the battery  $\eta_{batt} = 0.8$   $\iff$  365 values of D



For instance,





#### **Production Values**

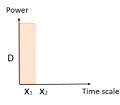
- $X_1 = 10$
- $X_2 = 0$

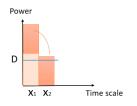
The energy production of the first day:

$$D1 = \frac{0.8 \times 10}{2 - (1 - 0.8)} = 4.44$$



#### For instance,





#### **Production Values**

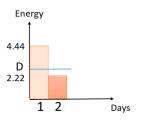
- $X_1 = 5$
- $X_2 = 0$

The energy production of the second day:

$$D2 = \frac{0.8 \times 5}{2 - (1 - 0.8)} = 2.22$$

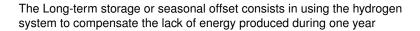


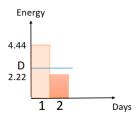
The energy production during these two days:



- Battery are used only for the daily scale
- How the first day could compensate the second day?

## Combination with long-short term storage





Taking into account the efficiency of both fuel cell and electrolyzer

 $\eta_{H2} = \eta_{el} \times \eta_{fc} = 0.4$ , the demand would be calculated as follows :

$$D = \frac{0.4 \times 4.44 + 2.22}{2 - (1 - 0.4)} = 2.85$$
 (2)

While computing the double compensation, this value of *D* is an lower bound



## Long-term storage

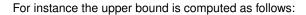


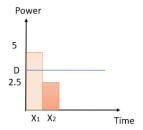
In case of an overproduction day, where energy production is greater than the demand, hour by hour, the overproduction can be stored within a long term storage device ( $H_2$ )



- Compute the average of power for each day. 
   ⇔ 365 values of daily average.
- Calculate again D following the equation (1) taking into account  $\eta_{H2} = \eta_{FC} \times \eta_{el}$ .

## Long-term storage



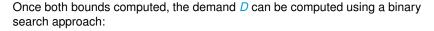


$$M1 = \frac{10+0}{2} = 5$$
  $M2 = \frac{5+0}{2} = 2.5$  
$$D = \frac{5 \times 0.4 + 2.5}{1.2} = 3.21$$
 (3)

$$D = \frac{5 \times 0.4 + 2.5}{1.6} = 3.21 \tag{3}$$

Compensate production between days by considering the daily production as an average of the production: ⇒upper bound

## **D** computing



- 1. Identifying the over/lower production depending on D
- 2. Moving the bounds and another value of *D* to balance the over/under production (by taking storage efficiency into account)



## Sizing of the storage system



 How the energy should be splitted (in/out)) between batteries and hydrogen system?

#### **Chosen policy**

overproduction day : the battery has to store/deliver at least the underproduction, the remainder of the production is stored as  $H_2$ 

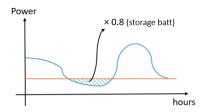
underproduction day : the battery has to store/deliver at least the overproduction, the remainder of the underproduction is delivered by  $H_2$ 



## Sizing of the storage system

#### Battery on a overproduction day

The battery stores/delivers the amount of underproduction energy



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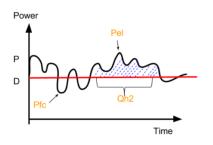
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## Sizing of the storage system

#### H<sub>2</sub> on an underproduction day

The  $H_2$  system stores/delivers the energy needed to complete the battery



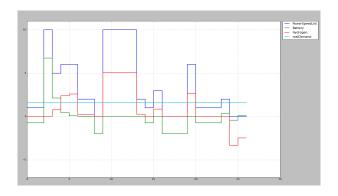
- $P_{ez} = max$
- $P_{fc} = min$
- $Q_{H2} = \sum P_i$



#### Results



The simulation of this sizing are made with python for 27 hours:



PowerList = [5, 1, 1, 10, 5, 6, 6, 2, 2, 0, 10, 10, 10, 10, 2, 1, 3, 0, 0, 0, 6, 1, 1, 1, 2, 0, 0]



## **Conclusion – Perspectives**



Following this sizing strategy, for any production values, we are able to :

- · propose a sizing of the production part
- propose a sizing of the storage part

#### **Issues**

The sizing is obtained using data downloaded for a specific year.

- ⇒ Finding a robust sizing for the next years
- ⇒ Finding an economical appropriate sizing (80/20% paradigm))



# Thank you for your attention

