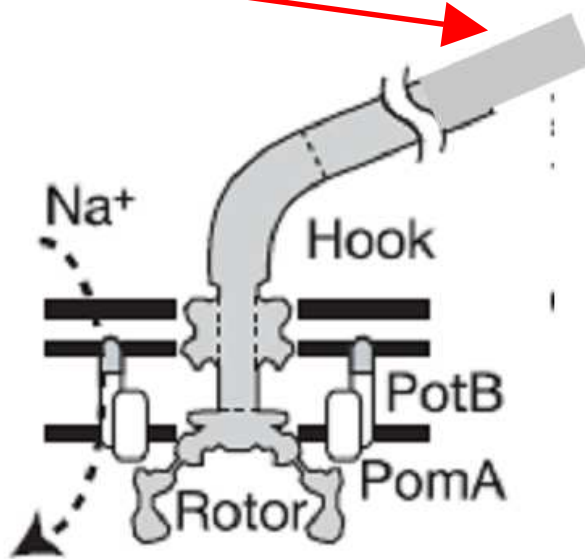


What is FT useful for ?

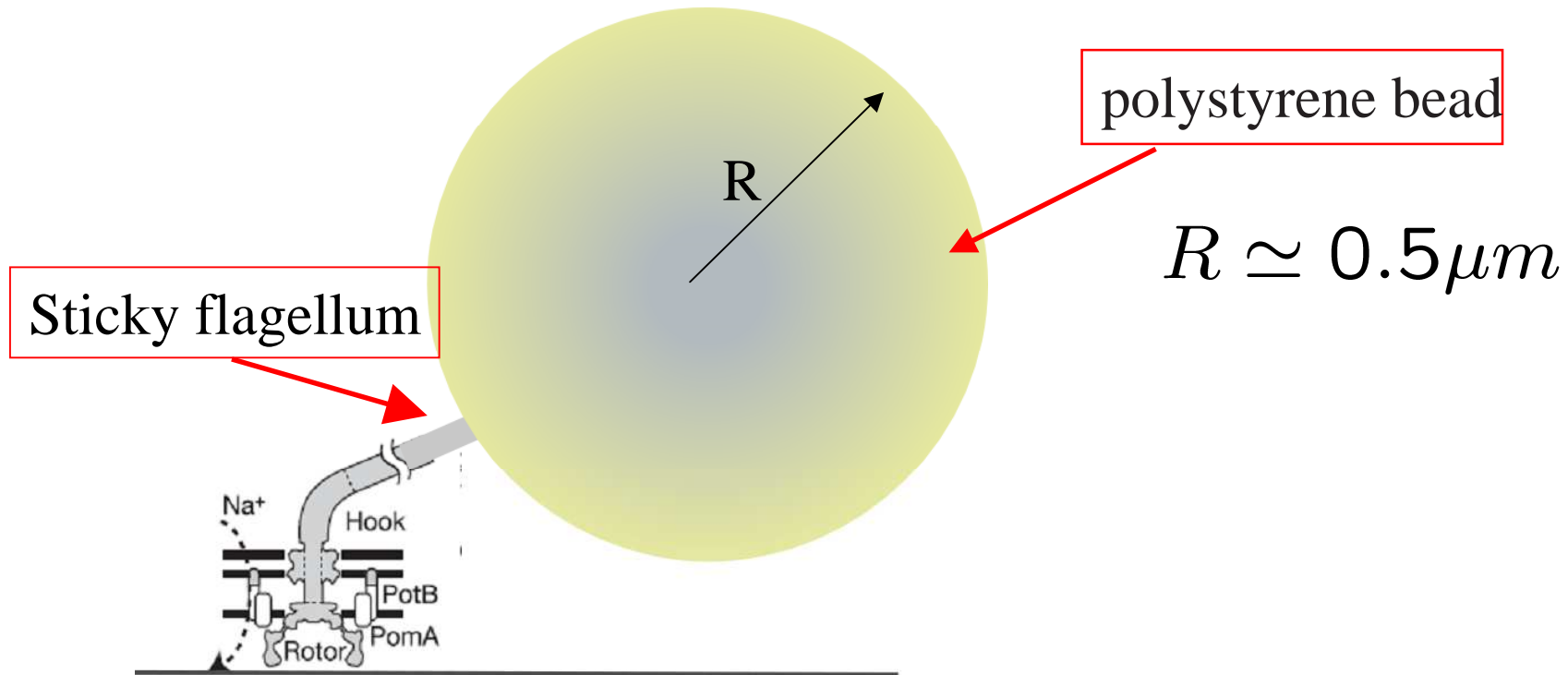
- Several interesting consequences of FT such as the Jarzinsky and Crooks equalities are useful to compute the free energy difference between two equilibrium states using any kind of transformation
- Hatano-Sasa relation and the fluctuation dissipation theorem for non equilibrium steady states (NESS). These are useful to compute the response function of NESS
- FT allows the measure of tiny amount of heat exchange between the system and its heat bath. (example: application to aging and biological systems)
- Measure of the offset of a variable
- Measure of the mean injected power.

Molecular motor and FT

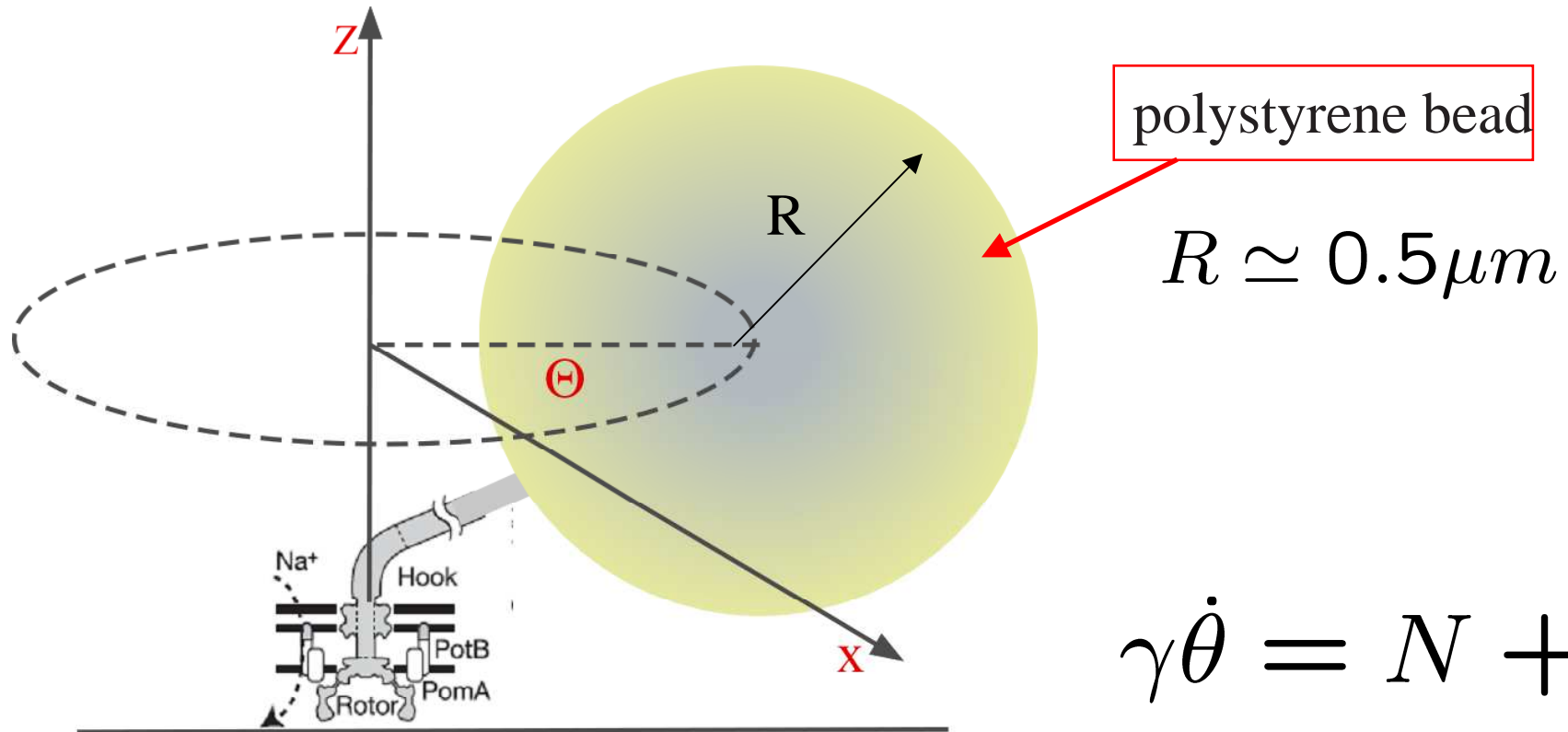
Sticky flagellum



Molecular motor and FT



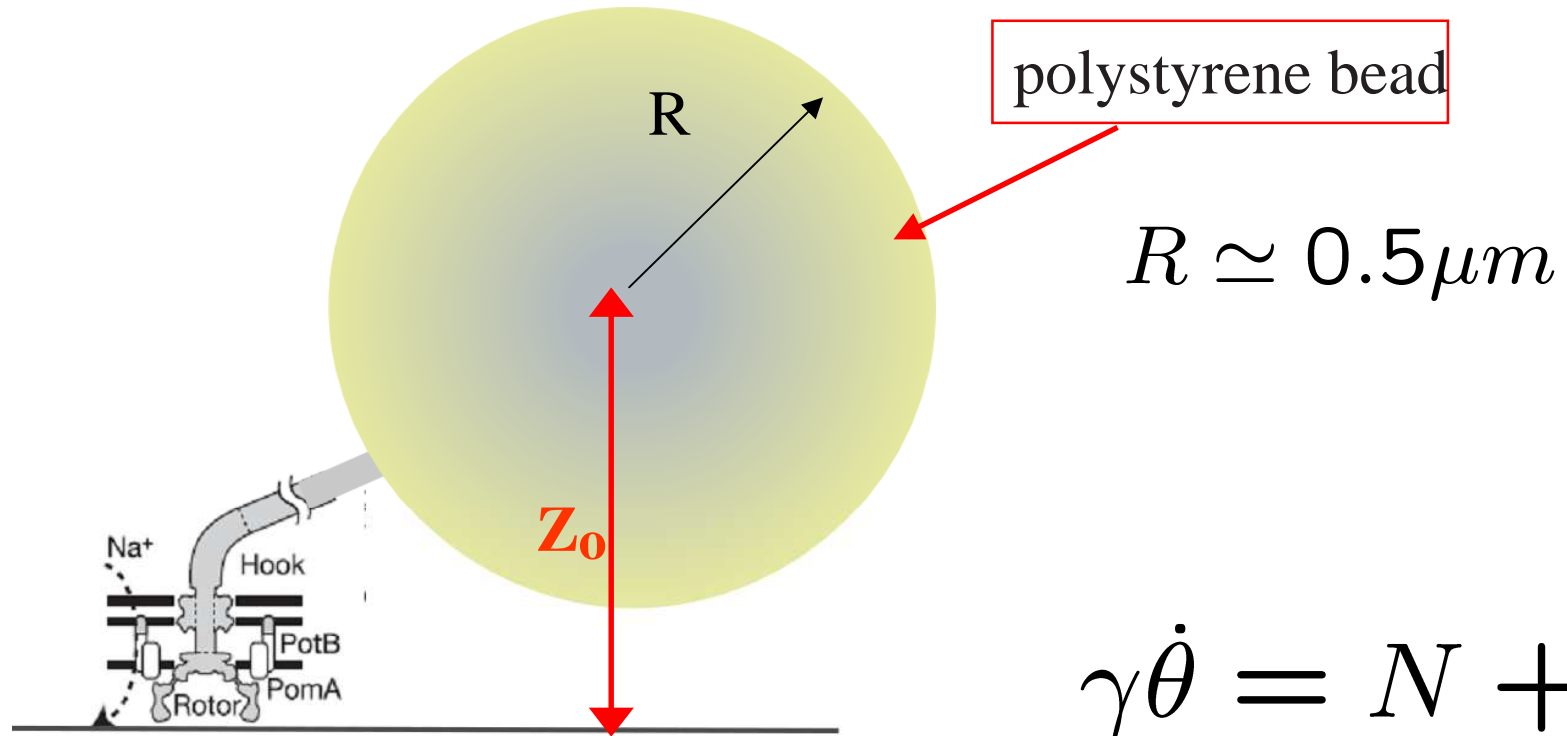
(drawing not in scale)



Standard method to determine the torque N

$$N = \frac{\langle \dot{\theta} \rangle}{\gamma}$$

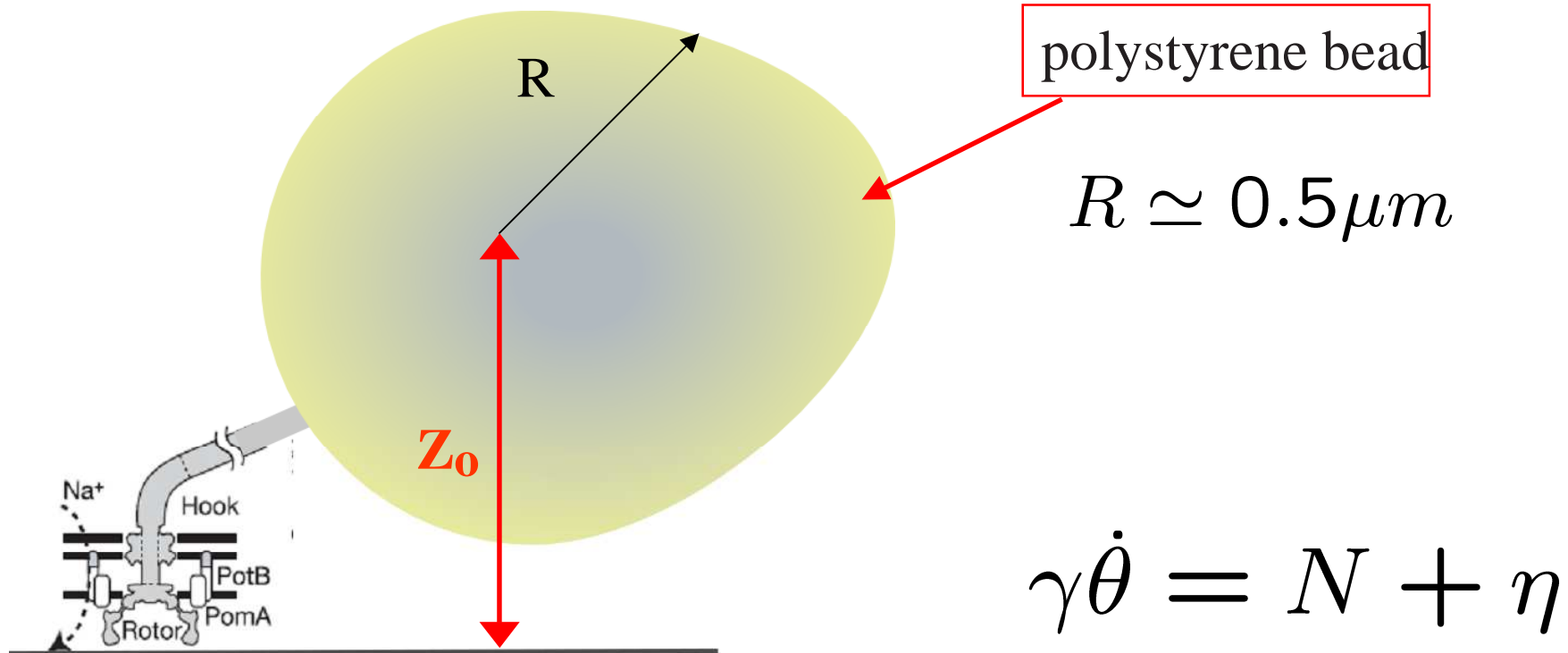
Molecular motor and FT



Standard method to determine the torque N

$$N = \frac{\langle \dot{\theta} \rangle}{\gamma} \quad \text{but} \quad \gamma(R, Z_0)$$

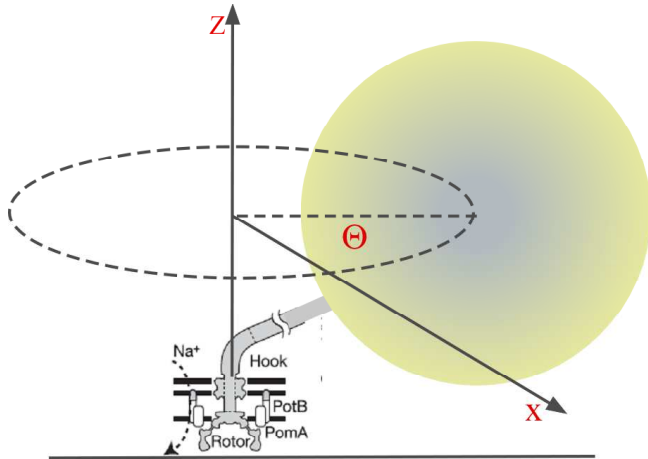
Molecular motor and FT



Standard method to determine the torque N

$$N = \frac{\langle \dot{\theta} \rangle}{\gamma} \quad \text{but} \quad \gamma(R, Z_0)$$

and of the shape



New method based on FT to determine the torque N

$$\gamma \dot{\theta} = N + \eta$$

$$W_{\tau} = N \int_t^{t+\tau} \dot{\theta} dt = N \Delta\theta_{\tau} \quad \text{where } \Delta\theta_{\tau} = (\theta(t+\tau) - \theta(t))$$

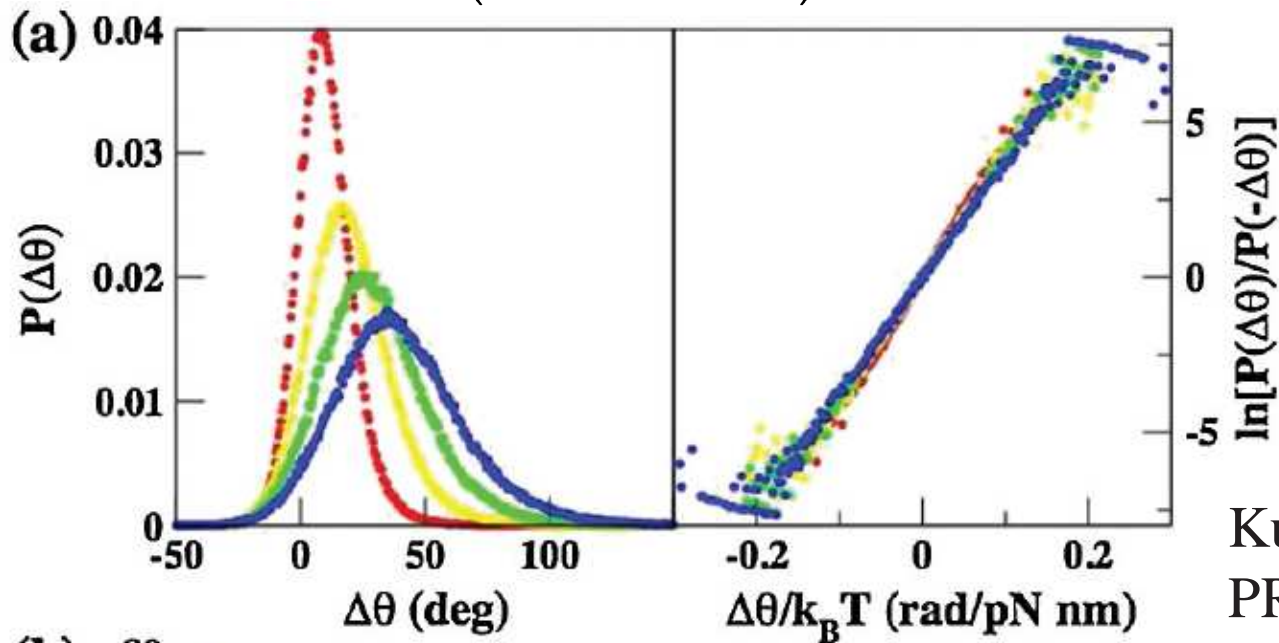
SSFT for W_{τ} : $\log \left(\frac{P(\Delta\theta_{\tau})}{P(-\Delta\theta_{\tau})} \right) = \Sigma(\tau) N \frac{\Delta\theta_{\tau}}{k_B T}$

γ is not needed

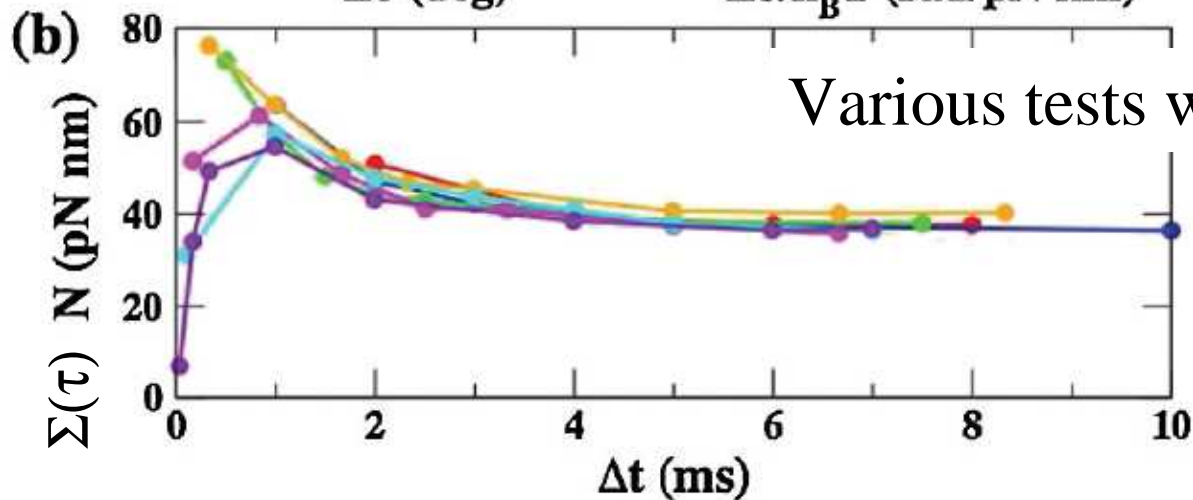
with $\Sigma(\tau) \rightarrow 1$ for $\tau \rightarrow \infty$

Molecular motor and FT

$$\log \left(\frac{P(\Delta\theta_\tau)}{P(-\Delta\theta_\tau)} \right) = \Sigma(\tau) N \frac{\Delta\theta_\tau}{k_B T}$$



Kumiko Hayashi et al.,
PRL 104, 218103 (2010)



Various tests with different beads
(size and shape)